



RESEARCH ARTICLE

Study of 2-DEG Channel as a Cavity Resonator for THz Applications

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In this paper the 2-dimensional electron gas channel formed in n-AlGaIn/GaN based High electron mobility transistor has been discussed with its 2DEG sheet electron density. Due to increase the attention toward the terahertz (THz) applications the effects of plasma waves (which can exist in the gated two-dimensional electron gas with linear dispersion law) in the 2DEG channel has been summarized. The presence of plasma waves in 2DEG can cause the 2DEG channel behaves as cavity resonator with resonant frequency in the THz range. The fringing effect which limits the resonant plasma frequency has been discussed in detail. The effect of fringing on the 2-dimensional gas channel sheet electron density and 2DEG cavity resonator frequency (THz) has been displayed.

*Copy Right, IJAR, 2013,. All rights reserved***Introduction**

The motivation behind the study of III-V nitride based devices was clear that these AlGaIn/GaN nitride based devices are best for High speed applications, high mobility, high peak saturation velocity and also for essential radiation hardness (Vivek K. De and James D. Meindl, 1993). When the polarization (spontaneous and piezoelectric) effects has been studied in AlGaIn/GaN then an interface charges due to abrupt divergence in the polarization at AlGaIn/GaN the heterointerface has been found which is not seen in GaAs based devices, which leads to higher 2DEG density and resulting into a high speed device. The terahertz (THz) frequency spectrum has many of its useful applications for communication in the free-space media, sensor, in the field of biomedicine and in searching for secreted explosives and obscured missiles. The imaging at the terahertz frequency may also be useful for industrial practices, such as review of packaging density and quality control (S. M. Sze and Kwok K. Ng. 1981).

HEMT Device Structure with Its Gated Portion Equivalent Block Diagram Representation

The AlGaIn/GaN heterostructure shown in Figure 1 has been grown using the metal organic chemical vapor deposition (MOCVD) technique. The 2DEG channel has been formed at the heterointerface between the AlGaIn narrow band gap and GaN wide band gap semiconductor layers. Voltage $V(t) = V_g + \delta V e^{i\omega t}$ which was applied between the gate contact and drain contact contains dc and ac component with amplitudes V_g , δV respectively and ac signal frequency ω (H R Chen, W T Chen, M K Hsu, S W Tan and W S Lour. 2005).

The block diagram representation of gated portion shown Figure 2 including all parameters as capacitance, resistance and inductance has been used to calculate the 2DEG density Σ beneath the gated portion (Figure 3) and cavity resonator frequency Ω function V_g (Figure 4). When the voltage $V(t)$ applied between the gate and drain contacts, 2DEG sheet density Σ depends on the gate bias voltage changes by relation as (Kumar, V. 2003)

$$\Sigma = \Sigma_0 + \frac{\epsilon \epsilon_0 V_g}{e d_g} = \Sigma_0 \left(1 - \frac{V_g}{V_{th}}\right) \quad (1)$$

Where Σ_0 has been taken as the 2DEG sheet density when the gate voltage, $V_g = 0$ and V_{th} is the threshold voltage.

The 2DEG channel formed under the gated length L_g can work as a resonant cavity for the plasma waves with the fundamental resonant frequency

$$\Omega = \frac{\pi}{2L_g} \sqrt{\frac{e^2 \Sigma d_g}{\epsilon \epsilon_0 m^*}} \quad (2)$$

Here e , m^* are taken as the charge of electron and effective mass of electron respectively and ϵ_0 is the dielectric constant of air, ϵ dielectric constant of the layer separating 2DEG channel and gate portion and d_g taken as the thickness of the layer (MICOVIC, M., et al. 2000).

The Influence of Fringing Effect on the 2DEG Channel

The fringing which is the extension of gate contact due to the nonideality of the gate contact 2DEG capacitance as shown in Figure 5. Due to the fringing effect the 2DEG channel parameters has been changed. In Figure 5 reference point $x=0$ coincides with the boundary of the gate contact, in this way that points with $-L_g < x < 0$ correspond to the 2DEG channel beneath the gate contact and $x > 0$ correspond to the ungated 2DEG channel region subjected to the fringing electric field.

The thickness of the 2DEG channel is assumed to be negligibly small. The distribution of fringing electric field at the 2DEG channel surface is similar to that in the middle plane of the fringed parallel plate capacitor with plate length L_g and separation $2d_g$. The fringing electric field distribution can be found from relation and displayed in Figure 6.

$$E(\xi) = \frac{V_g}{L_g} \frac{1}{1 + \exp(-\xi/\zeta)} \quad (3)$$

Where ζ a constant and V_g is the gate voltage. The distribution of the electric field in the structure with the gate contact extended in the direction $x > 0$ in such a way that separation between the gate contact and 2DEG surface varies as $d_g(1 + \exp(\xi/\zeta))$. Furthermore, the ungated part of 2-dimensional electron gas channel subjected to the fringing electric field can be behaved in the same way as its gated portion.

The Influence of Fringing Effect on the 2DEG Channel Sheet Electron Density

Due to the fringing effect the ungated part of 2-dimensional electron gas channel subjected to the fringing electric field (Figure 6) and works in the similar manner as the its real gated portion does (HU, X., et al. 2000). So in the ungated region the 2DEG sheet electron density equation is given as

$$\Sigma^{fr} = \Sigma_0^{fr} + \frac{\epsilon \epsilon_0 V_g}{e d_g (1 + \exp(\xi/\zeta))} \quad (4)$$

Where Σ_0^{fr} has been taken as 2DEG sheet electron density in the fringed region when the gate voltage, $V_g = 0$.

Now from Figure 3 and Figure 7 effect of fringing can be seen which is quite notable.

The Influence of Fringing Effect on the 2DEG Channel Cavity Resonator Frequency

There are several factors which reduces the the fundamental resonant frequency, fringing effect is one of them. It was clear from equation (1) that as we scaling down the gate length the the increase in cavity fundamental resonant frequency has been found out (Ryosuke Yamase, Takao Maeda, Irina Khmyrova, Elena Shestakova, Evgeny Polushkin, Anatoly Kovalchuk, Sergei Shapoval, 2012). In the presence of fringing effects cavity fundamental resonant frequency,

$$f_{fr} \approx \frac{f_0}{1 + \frac{4d_g}{\pi L_g R_v} \left(\sqrt{1 + \frac{\pi R_v L_{fr}}{2d_g}} - 1 \right) + \chi} \quad (5)$$

$$\chi = \frac{2d_g}{\pi L_g} \left(1 + \ln \frac{4}{R_v} - 2 \sqrt{\frac{2d_g}{\pi R_v L_{fr}}} \right)$$

$$R_v = \frac{V_p^0}{V_g - V_{th}^0} \quad (7)$$

$$L_{fr} = \frac{d_g}{\pi} (1 + \xi_2 + \exp(\xi_2)) \quad (8)$$

For δ doped High electron mobility transistor,

$$V_p = \frac{e \Sigma_d d_d}{\epsilon \epsilon_0}$$

Where f_0 is the fundamental frequency when no fringing takes place and given as $f_0 = \Omega/2\pi$, V_{th}^0 is the threshold voltage at $V_g = 0$, ξ_2 is a adjustment parameter. Thus impact of fringing effect on 2- dimensional electron gas channel cavity fundamental resonant frequency has displayed in Figure 8 and compared with Figure 4.

Conclusion

The 2DEG channel has been studied for various point of view as 2DEG sheet density and terahertz (THz) cavity resonator. From the discussion it was found out that 2- dimensional electron gas channel has approximately $50/2\pi$ THz frequency at 10V gate voltage after neglecting fringing effect and approximately $7.3/2\pi$ THz frequency at the same gate voltage after having fringing effect into consideration.

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Figure 1: Schematic diagram showing 2DEG layer in AlGaN/GaN heterostructure

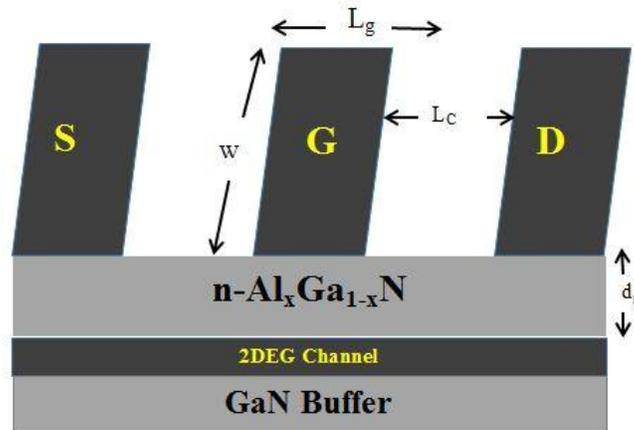


Figure 2: The block diagram representation of gated portion of above Figure 1

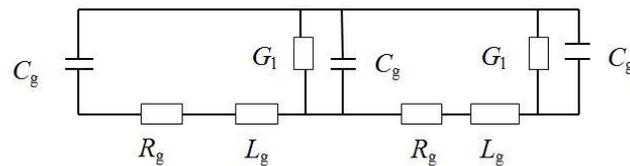


Figure 3: The plot showing the 2DEG density Σ beneath the gated portion function of gate voltage

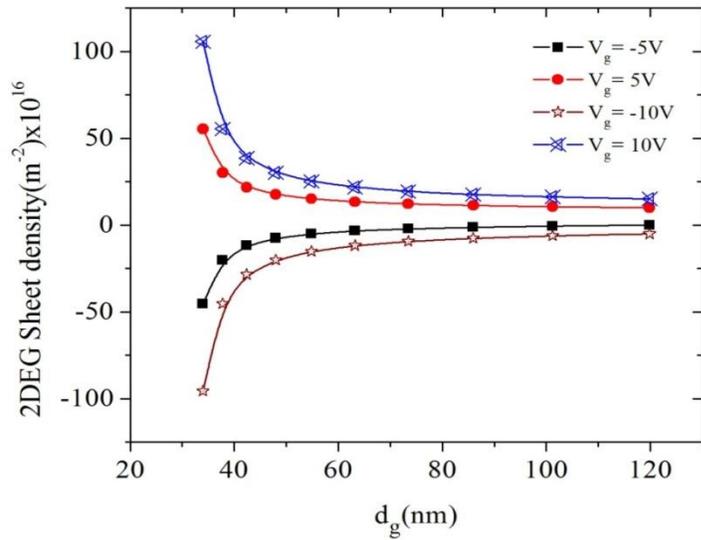


Figure 4: The 2DEG channel as a cavity resonator frequency Ω function of gate voltage V_g

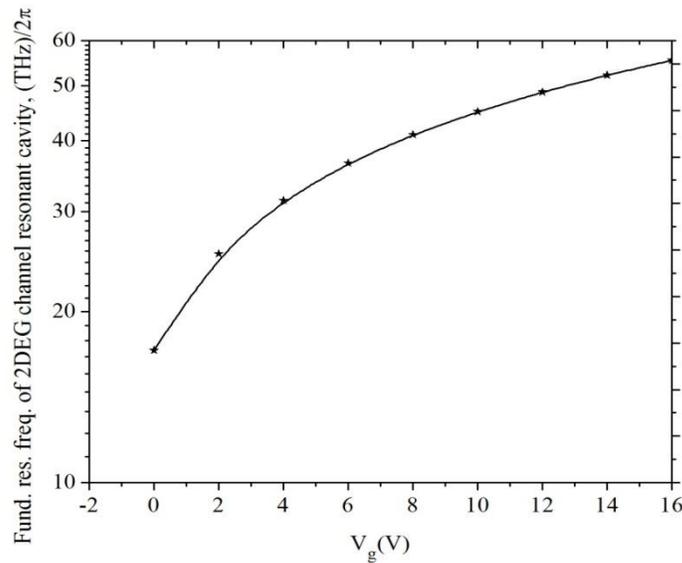


Figure 5: Plot showing the fringing effect in high electron mobility transistor at the gate contact

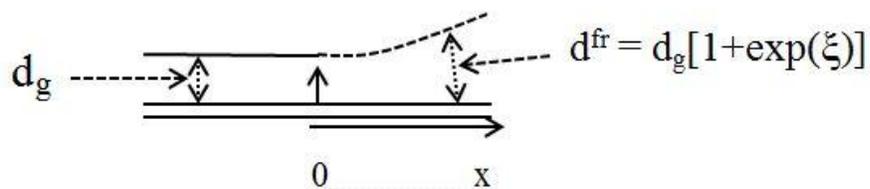


Figure 6: Plot showing the fringing electric field distribution

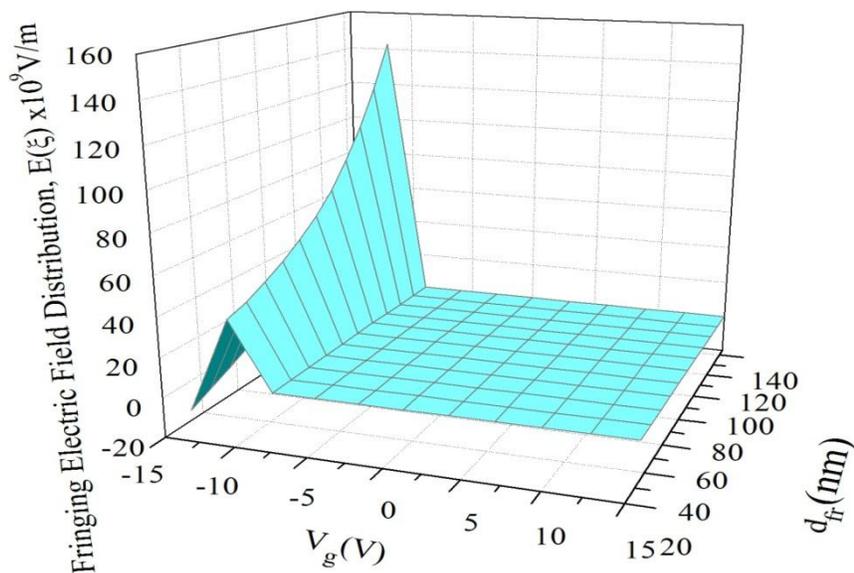


Figure 7: The effect of fringing on 2DEG channel sheet electron density

