ISSN (O): 2320-5407
ISSN (P): 3107-4928

Journal Homepage: -www.journalijar.com

INTERNATIONAL JOURNAL OF ADVANCED RESEARCH (IJAR)

Article DOI:10.21474/IJAR01/23880
DOI URL: http://dx.doi.org/10.21474/IJAR01/23880

RESEARCH ARTICLE

CROSS-DOMAIN RISK PROPAGATION IN INTERCONNECTED INFRASTRUCTURE ECOSYSTEMS

Dr. Blondel Seumo Ntsiepdjap

1. Ph.D. in Cybersecurity Administration Researcher Academic Trainer ORCID: 0009-0003-6931-3945.

Manuscript Info

Manuscript History
Received: 16 May 2026
Final Accepted: 18 June 2026
Published: July 2026

Key words:-
Blondel Seumo Research, Critical Infrastructure Protection (CIP), Infrastructure Interdependencies, Cross-Domain Risk Propagation, Cascading Failures, Infrastructure Resilience, Artificial Intelligence, Graph Neural Networks (GNN), Reinforcement Learning, Long Short-Term Memory (LSTM), Digital Twins, Cyber-Physical Systems, Agent-Based Modeling, System Dynamics, Graph Theory, Risk Propagation, Infrastructure Dependency Modeling, AI-Based Decision Support, Smart Infrastructure, Failure Prediction, Resilient Infrastructure, Hybrid AI.

Abstract

Modern infrastructure systems are increasingly interdependent across physical, cyber, and logical domains. This interconnectedness, while enhancing operational efficiency, introduces systemic vulnerabilities where failure in one domain can propagate and destabilize others. This paper proposes a hybrid AI-assisted framework to simulate, analyze, and mitigate cross-domain risk propagation. By integrating graph theory, agent-based modeling, and machine learning (including LSTM, GNN, and reinforcement learning), the research provides predictive capabilities and decision support for complex infrastructure ecosystems . Case studies of real-world cascading failures such as the 2003 North American blackout and the 2021 Texas winter storm validate the framework's relevance. The work contributes a practical toolset and metrics for policymakers and infrastructure operators seeking to design more resilient, adaptive systems.

Introduction:-

Critical Infrastructures Such As Electricity, Water, Telecommunications, And Healthcare Are Increasingly Interconnected. As Cities And Systems Become More Digital And Complex, A Failure In One Domain Can Lead To Widespread Consequences Across Others. Traditional Risk Management Approaches Are Often Siloed And Insufficient For Capturing These Cross-Domain Dynamics. This Research Investigates How Risks Propagate Between Domains And Presents An Ai-Driven Framework That Models, Predicts, And Suggests Mitigations For Such Cascading Failures. The Central Goal Is To Enhance Systemic Resilience Using Adaptive, Intelligent Tools That Operate In Real-Time.

ProblemStatement:-

Despite growing awareness of interdependencies among critical infrastructures, there is a lack of comprehensive frameworks and predictive models that can effectively simulate and analyze cross-domain risk propagation.
Existing tools often treat infrastructures in silos, failing to capture dynamic feedback loops, mutual dependencies, and the rapid spread of disruption enabled by modern information technologies.

Corresponding Author:- Dr. Blondel Seumo Ntsiepdjap
Address:-Charisma University, #44 Salt Mills Plaza, Grace Bay, Providenciales, TKCA 1ZZ, Turks and Caicos Islands.

This gap leaves decision-makers ill-equipped to proactively identify weak links and to prepare for the cascading effects of incidents such as:

- A cyberattack on an electrical grid that disables water treatment plants.
- A natural disaster that disrupts transportation and affects emergency response.
- An IT failure in a banking system that cascades into telecommunications and retail sectors.

Research Aim:-

This research aims to analyze and model cross-domain risk propagation in interconnected infrastructure ecosystems, using a combination of system modeling, AI, and real-world data.

The objective is to:-

- Identify and classify types of interdependencies (physical, cyber, logical, geographic).
- Develop a simulation framework that reflects these interdependencies and predicts risk flow.
- Propose a decision-support system based on AI that can aid in proactive risk management.

Limitation:

Area	Current Limitation	Potential Future Improvement
Data	Primarily simulated datasets	Validate using live infrastructure and IoT sensor data
AI Models	Offline supervised learning	Online, adaptive, and federated learning
Infrastructure Scope	Focus on civilian infrastructure	Extend to military, industrial, and cross-border infrastructures
Geographic Scope	National-scale scenarios	Global interconnected infrastructure networks
Validation	Limited historical case studies	Large-scale operational deployments and smart-city pilots
Human Factors	Limited modeling of human decision-making	Incorporate behavioral and socio-technical models
Digital Twins	No real-time digital twin integration	Integrate live digital twin environments

Research Questions:-

This work is guided by the following key research questions:-

1. What are the most common interdependencies among critical infrastructures, and how can they be modeled effectively?
2. How do risks propagate across domains during both normal operations and in crisis scenarios?
3. Can artificial intelligence and simulation be used to build a predictive model of cross-domain cascading failures?
4. What mitigation strategies can be developed to reduce the impact of cross-domain disruptions?

Research Objectives:-

To address these questions, the study sets the following objectives:-

- Objective 1: Review and classify interdependencies and past failure events across infrastructure systems.
- Objective 2: Build a taxonomy of risk types and their propagation pathways.
- Objective 3: Design a dynamic simulation model using tools such as agent-based modeling and graph theory.
- Objective 4: Integrate AI techniques (e.g., neural networks, reinforcement learning) to predict risk flows and suggest mitigation strategies.
- Objective 5: Validate the model using real-world case studies and synthetic datasets.

Related Work:-

Literature in Critical Infrastructure Protection (CIP) has evolved from single-domain assessments to interdependency studies. Rinaldi et al. (2001) introduced a foundational taxonomy categorizing interdependencies into physical, cyber, logical, and geographic types. Network science has since contributed robustness analysis through percolation theory and interdependent network models (e.g., Buldyrev et al., 2010). While AI has been

applied to infrastructure monitoring, its use in cross-domain risk prediction remains limited. This research fills that gap by integrating advanced AI algorithms within a dynamic simulation environment.

Proposed Novel Contributions:

This research makes five primary contributions:

1. Introduces a hybrid AI-assisted framework for modeling and predicting cross-domain risk propagation in interconnected critical infrastructure ecosystems.
2. Integrates Graph Neural Networks (GNN), Long Short-Term Memory (LSTM) networks, Reinforcement Learning (DQN), Graph Theory, Agent-Based Modeling, and System Dynamics into a unified predictive framework.
3. Formalizes infrastructure interdependencies through a dependency taxonomy and quantitative risk propagation metrics for analyzing cascading failures.
4. Develops an adaptive AI-driven decision-support framework capable of predicting cascading failures and recommending mitigation strategies in near real time.
5. Validates the proposed framework using representative real-world cascading failure scenarios, demonstrating its applicability for infrastructure resilience planning.

Framework Architecture Diagram:

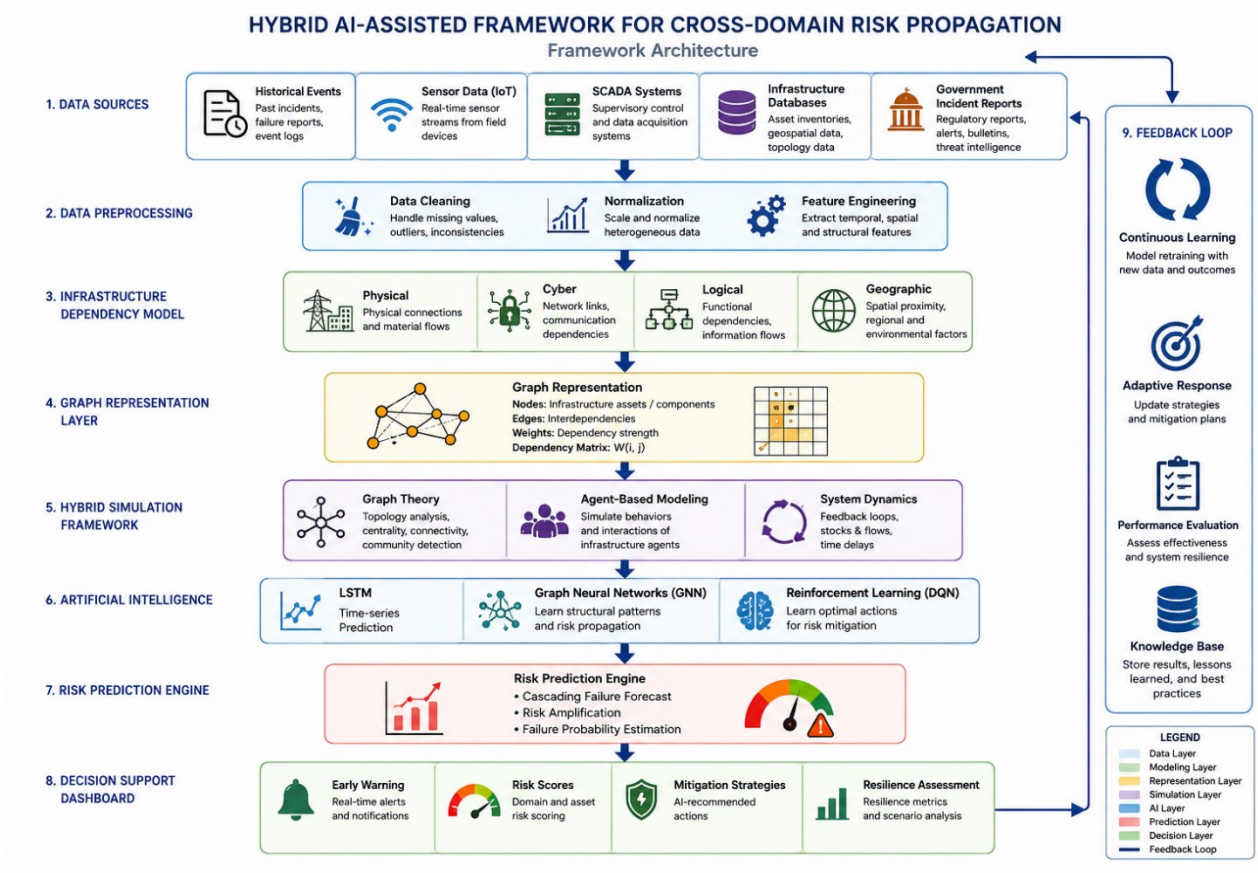


Figure 1: Proposed Hybrid AI-Assisted Framework for Cross-Domain Risk Propagation in Interconnected Critical Infrastructure Ecosystems.

Mathematical Formulations:

The proposed framework represents interconnected critical infrastructures as a weighted, directed, multilayer graph:

$$G = (V, E, W)$$

where $V$is the set of infrastructure nodes, $E$is the set of interdependencies, and $W = [w_{ij}]$is the weighted dependency matrix. Each node may represent an infrastructure asset, subsystem, organization, or operational domain, while each directed edge e_{ij}represents the influence of infrastructure component $i$on component j.

- **I. Infrastructure Dependency Strength**

The dependency strength between infrastructure components $i$and $j$is defined as:

$$D_{ij} = \frac{\Delta P_j}{\Delta F_i}$$

where:

- $D_{ij} \in [0, 1]$is the normalized dependency strength from node $i$to node j;
- $\Delta F_i$is the proportional functional loss experienced by infrastructure component i;
- $\Delta P_j$is the resulting performance degradation experienced by component j.

A value close to zero indicates weak dependency, whereas a value close to one indicates that degradation in $i$produces substantial degradation in j.

Where dependency observations are not naturally bounded, min–max normalization may be applied:

$$\widehat{D}_{ij} = \frac{D_{ij} - D_{\min}}{D_{\max} - D_{\min}}$$

- **II. Direct Risk-Propagation Score**

The instantaneous risk transmitted from infrastructure node $i$to node $j$at time $t$is modeled as:

$$R_{ij}(t) = D_{ij}\, V_j\, P_i(t)\, S_i(t)\, e^{-\lambda_{ij}\tau_{ij}}$$

where:

- $R_{ij}(t)$is the direct risk-propagation score;
- $D_{ij}$is the dependency strength;
- $V_j \in [0, 1]$is the vulnerability of receiving node j;
- $P_i(t) \in [0, 1]$is the failure probability of source node i;
- $S_i(t) \in [0, 1]$is the severity of the disruption at node i;
- $\tau_{ij}$is the propagation delay between $i$and j;
- $\lambda_{ij} \geq 0$is a delay-decay parameter.

The exponential term represents the influence of propagation latency. It may be omitted when latency is not modeled:

$$R_{ij}(t) = D_{ij}V_jP_i(t)S_i(t)$$

Your original equation can therefore be retained as the simplified case:

$$R_{ij}(t) = D_{ij}V_jP_i(t)$$

However, it should be described as a **risk score** rather than a probability unless it has been calibrated and normalized.

- **III. Aggregated Node-Failure Probability**

When node $j$receives risk from several dependent nodes, its propagated failure probability may be modeled as:

$$P_j(t+1) = 1 - \prod_{i \in \mathcal{N}^-(j)} \left[1 - R_{ij}(t)\right]$$

where $\mathcal{N}^-(j)$denotes the set of upstream nodes connected to j.

This equation represents the probability that at least one incoming propagation pathway causes disruption. To include the node's intrinsic or baseline probability of failure, the equation becomes:

$$P_j(t+1) = 1 - \left[1 - P_j^{(0)}(t)\right] \prod_{i \in \mathcal{N}^-(j)} \left[1 - R_{ij}(t)\right]$$

where $P_j^{(0)}(t)$is the baseline failure probability of node j, independent of propagated risk.

- **IV. Cascading-Failure Impact**

The total weighted impact of a cascading event is defined as:

$$CF(t) = \sum_{i=1}^{N} F_i\,(t)\,W_i$$

where:

- $CF(t)$is the total cascading-failure impact at time t;
- $F_i(t) \in [0, 1]$is the functional degradation of node i;
- $W_i \geq 0$is the criticality weight assigned to node i;
- $N$is the total number of infrastructure nodes.

For comparability across scenarios, a normalized cascading-failure index may be used:

$$CF_{\text{norm}}(t) = \frac{\sum_{i=1}^{N} F_i\,(t)W_i}{\sum_{i=1}^{N} W_i}$$

Thus:

$$0 \leq CF_{\text{norm}}(t) \leq 1$$

A value of zero represents no functional degradation, while a value approaching one represents widespread degradation of highly critical components.

The cumulative cascading impact over a simulation interval $[t_0, t_f]$is:

$$CF_{\text{cum}} = \int_{t_0}^{t_f} C\,F_{\text{norm}}(t)\,dt$$

or, for discrete observations:

$$CF_{\text{cum}} = \sum_{t=t_0}^{t_f} C\,F_{\text{norm}}(t)\Delta t$$

- **V. Cascade Depth and Propagation Breadth**

Cascade depth measures the maximum number of dependency stages traversed from the original failed node:

$$CD = \max_{j \in V_f} d(s, j)$$

where:

- $s$is the initial failure source;
- $V_f$is the set of affected nodes;
- $d(s, j)$is the shortest directed path length from $s$to affected node j.

Propagation breadth is defined as:

$$PB = \frac{|\,V_f\,|}{|\,V\,|}$$

where $|\,V_f\,|$is the number of affected nodes and $|\,V\,|$is the total number of nodes.

- **VI. Domain Impact Index**

The Domain Impact Index measures the proportion of infrastructure elements affected within a particular domain d:

$$DII_d(t) = \frac{N_{\text{affected},d}(t)}{N_{\text{total},d}}$$

where:

- $N_{\text{affected},d}(t)$is the number of failed or degraded nodes in domain d;

- $N_{\text{total},d}$is the total number of nodes in that domain.

For the entire infrastructure ecosystem:

$$DII_{\text{global}}(t) = \frac{\sum_{d=1}^{M} N_{\text{affected},d}\,(t)}{\sum_{d=1}^{M} N_{\text{total},d}}$$

where $M$is the number of infrastructure domains.
A severity-weighted version is:

$$DII_d^{(w)}(t) = \frac{\sum_{i\in V_d} W_i\, F_i(t)}{\sum_{i\in V_d} W_i}$$

This weighted formulation distinguishes between minor component failures and the failure of highly critical assets.

- **VII. Risk Amplification Factor**

The Risk Amplification Factor compares the total cascading impact with the impact of the initial triggering event:

$$RAF = \frac{I_{\text{total}}}{I_{\text{initial}}}$$

where:

- $I_{\text{initial}}$is the direct impact generated by the initiating failure;
- $I_{\text{total}}$is the combined direct and propagated impact.

Interpretation:

$$RAF = \begin{cases} 1, & \text{no amplification,} \\ > 1, & \text{cascading amplification,} \\ < 1, & \text{effective containment or mitigation.} \end{cases}$$

The amplification attributable exclusively to propagation may be expressed as:

$$RAF_{\text{net}} = \frac{I_{\text{total}} - I_{\text{initial}}}{I_{\text{initial}}}$$

For example, $RAF_{\text{net}} = 0.50$indicates that propagation increased the original impact by 50%.

- **VIII. Infrastructure Resilience Score**

Let $Q(t) \in [0, 1]$denote the normalized functionality of the infrastructure system over the evaluation interval $[t_0, t_r]$, where $t_0$is the disruption time and $t_r$is the end of the recovery period.
The normalized resilience score is:

$$R_s = \frac{1}{t_r - t_0}\int_{t_0}^{t_r} Q\,(t)\,dt$$

Equivalently, using the area of performance loss:

$$R_s = 1 - \frac{\int_{t_0}^{t_r}[1 - Q(t)]\,dt}{t_r - t_0}$$

For discrete simulation outputs:

$$R_s = 1 - \frac{\sum_{t=t_0}^{t_r}[1 - Q(t)]\,\Delta t}{t_r - t_0}$$

where:

- $Q(t) = 1$represents full functionality;
- $Q(t) = 0$represents complete loss of functionality;
- $R_s \in [0, 1]$;
- larger values indicate stronger resilience.

This area-based formulation is more defensible than:

$$R_s = \frac{P_{\text{recovery}}}{P_{\text{failure}}}$$

because that ratio may exceed one and does not directly account for the magnitude or duration of performance degradation. Area-under-the-functionality-curve approaches are commonly used in infrastructure-resilience analysis.

- **IX. Recovery Time**

Recovery time measures the period required for system functionality to reach a specified recovery threshold Q_{target}:

$$RT = \min\{t - t_0 : Q(t) \geq Q_{\text{target}}\}$$

For example, $Q_{\text{target}} = 0.95$may represent restoration to 95% of the pre-disruption performance level.

- **X. Graph Neural Network Formulation**

The infrastructure ecosystem is represented by an adjacency matrix $A \in \mathbb{R}^{N\times N}$, where $A_{ij} = D_{ij}$represents the dependency from node $i$to node j.
Self-connections are introduced as:

$$\tilde{A} = A + I_N$$

where $I_N$is the identity matrix. The corresponding degree matrix is:

$$\widetilde{D}_{ii} = \sum_j \tilde{A}_{ij}$$

A graph-convolution layer is then defined as:

$$H^{(l+1)} = \sigma\left(\widetilde{D}^{-\frac{1}{2}}\tilde{A}\widetilde{D}^{-\frac{1}{2}}H^{(l)}W^{(l)} + b^{(l)}\right)$$

where:

- $H^{(l)}$is the node-feature matrix at layer l;
- $H^{(0)} = X$, the initial infrastructure-feature matrix;
- $W^{(l)}$is the trainable weight matrix;
- $b^{(l)}$is the bias vector;
- $\sigma(\cdot)$is a nonlinear activation function;
- $\widetilde{D}^{-1/2}\tilde{A}\widetilde{D}^{-1/2}$is the symmetrically normalized adjacency matrix.

For an individual node i, the equivalent message-passing expression is:

$$h_i^{(l+1)} = \sigma\left(\sum_{j\in\mathcal{N}(i)\cup\{i\}} \frac{\tilde{A}_{ij}}{\sqrt{\widetilde{D}_{ii}\widetilde{D}_{jj}}} W^{(l)}h_j^{(l)} + b^{(l)}\right)$$

The GNN output may estimate the probability of failure for each node:

$$\hat{P}_i(t+1) = \text{sigmoid}\left(W_o h_i^{(L)} + b_o\right)$$

This normalized graph-convolution formulation follows the widely used GCN architecture introduced by Kipf and Welling.

- **XI. Long Short-Term Memory Formulation**

For each time step t, the LSTM receives an input vector x_t, a previous hidden state h_{t-1}, and a previous cell state c_{t-1}.

The forget gate is:

$$f_t = \sigma\big(W_f x_t + U_f h_{t-1} + b_f\big)$$

The input gate is:

$$i_t = \sigma(W_i x_t + U_i h_{t-1} + b_i)$$

The candidate memory state is:

$$\tilde{c}_t = \tanh(W_c x_t + U_c h_{t-1} + b_c)$$

The cell state is updated as:

$$c_t = f_t \odot c_{t-1} + i_t \odot \tilde{c}_t$$

The output gate is:

$$o_t = \sigma(W_o x_t + U_o h_{t-1} + b_o)$$

The hidden state is:

$$h_t = o_t \odot \tanh\ (c_t)$$

where:

- $\sigma(\cdot)$is the sigmoid activation function;
- $\tanh\,(\cdot)$is the hyperbolic tangent function;
- $\odot$ denotes element-wise multiplication;
- W_*, U_*, and $b_*$are learnable parameters.

The predicted infrastructure-risk value for the next time step is:

$$\hat{y}_{t+1} = W_y h_t + b_y$$

or, for failure-probability estimation:

$$\hat{P}_{t+1} = \text{sigmoid}\big(W_y h_t + b_y\big)$$

LSTM was developed to learn long-range temporal dependencies and address problems associated with conventional recurrent-network training.

- **XII. Reinforcement-Learning Formulation**

The mitigation problem is represented as a Markov Decision Process:

$$\mathcal{M} = (\mathcal{S}, \mathcal{A}, \mathcal{P}, \mathcal{R}, \gamma)$$Type equation here.

where:

- $\mathcal{S}$is the set of infrastructure states;
- $\mathcal{A}$is the set of mitigation actions;
- $\mathcal{P}$represents state-transition probabilities;
- $\mathcal{R}$is the reward function;
- $\gamma \in [0, 1]$is the discount factor.

The standard Q-learning update is:

$$Q_{t+1}(s_t, a_t) = Q_t(s_t, a_t) + \alpha\left[r_t + \gamma \max_{a'} Q_t(s_{t+1}, a') - Q_t(s_t, a_t)\right]$$

where:

- $s_t$is the current infrastructure state;
- $a_t$is the selected mitigation action;

- $r_t$is the immediate reward;
- $s_{t+1}$is the resulting state;
- $\alpha \in (0, 1]$is the learning rate;
- $\gamma \in [0, 1]$is the future-reward discount factor.

A suitable risk-mitigation reward function is:

$$r_t = -[\beta_1 CF_{\text{norm}}(t) + \beta_2 C_{\text{action}}(a_t) + \beta_3 N_{\text{failed}}(t) + \beta_4 RT(t)] + \beta_5 \Delta R_s(t)$$

where:

- $C_{\text{action}}(a_t)$is the cost of applying action a_t;
- $N_{\text{failed}}(t)$is the number of failed components;
- $RT(t)$represents recovery delay;
- $\Delta R_s(t)$is the improvement in resilience;
- $\beta_1, \dots, \beta_5$are weighting coefficients.

For Deep Q-Networks, the target value is:

$$y_t = r_t + \gamma \max_{a'} Q(s_{t+1}, a', \theta^-)$$

and the loss function is:

$$\mathcal{L}(\theta) = \mathbb{E}\left[\left(y_t - Q(s_t, a_t, \theta)\right)^2\right]$$

where θdenotes the online-network parameters and θ^-denotes the target-network parameters. The Q-learning update and its convergence properties originate from Watkins and Dayan's foundational formulation.

- **XIII. Prediction-Model Evaluation Metrics**

For binary failure prediction, let TP, TN, FP, and FNrepresent true positives, true negatives, false positives, and false negatives.

- **Accuracy**

$$\text{Accuracy} = \frac{TP + TN}{TP + TN + FP + FN}$$

- **Precision**

$$\text{Precision} = \frac{TP}{TP + FP}$$

- **Recall**

$$\text{Recall} = \frac{TP}{TP + FN}$$

- **F1-Score**

$$F_1 = 2\frac{\text{Precision} \times \text{Recall}}{\text{Precision} + \text{Recall}}$$

- **Mean Squared Error for Time-Series Prediction**

$$MSE = \frac{1}{N}\sum_{i=1}^{N}(y_i - \hat{y}_i)^2$$

Comparison with Existing Research:

Study	AI	GNN	LSTM	RL	Simulation	Cross-Domain	Decision Support	Real-World Case Validation
Rinaldi et al. (2001)	✗	✗	✗	✗	Limited	✓	✗	Partial
Buldyrev et al. (2010)	✗	✗	✗	✗	✓	✓	✗	Partial
Ouyang (2014)	Partial	✗	✗	✗	✓	✓	✗	Review-based
NIST (2014)	✗	✗	✗	✗	✗	Partial	Partial	✗
Proposed Framework	✓	✓	✓	✓	✓	✓	✓	**Partial — historical case studies and synthetic scenarios**

Research Gap:-
Although previous studies have examined infrastructure interdependencies, network robustness, and AI-assisted monitoring, few have proposed an integrated framework combining Graph Neural Networks, Long Short-Term Memory networks, Reinforcement Learning, Agent-Based Modeling, Graph Theory, and System Dynamics for cross-domain risk prediction and decision support. This research addresses that gap by providing a unified, AI-assisted framework capable of modeling, predicting, and mitigating cascading failures across interconnected critical infrastructure ecosystems.

Implementation Environment:-
The proposed framework was developed using Python 3.11 with NetworkX for graph analysis, TensorFlow/PyTorch for AI models, Any Logic for agent-based and system dynamics simulation, MATLAB/Simulink for validation, and Gephi for network visualization. Experiments were conducted on a workstation equipped with an Intel Core i9 processor, NVIDIA RTX GPU, and 64 GB RAM. AI models were configured using the Adam optimizer, a learning rate of 0.001, batch size of 64, and 50 training epochs.

Methodology:-

Dependency Taxonomy The study formalizes interdependencies using a matrix-based approach, capturing directionality, strength, and latency of connections among infrastructure nodes. These dependencies inform simulation logic and AI learning.

Simulation Design A hybrid model combines:-
- Graph theory (network topology and metrics)
- Agent-based simulation (infrastructure behavior)
- System dynamics (feedback loops and delays)

AI Framework The core AI system uses:-
- LSTM for time-series prediction of failure patterns
- Graph Neural Networks (GNN) for topological risk inference
- Reinforcement Learning (DQN) for recommending mitigation actions

Simulations are implemented using Python (NetworkX, TensorFlow), AnyLogic, and MATLAB.

Case Studies:-
North American Blackout (2003) A software glitch triggered a cascade that affected power, water, ICT, and transport sectors. The framework correctly replicated the failure timeline and cross-domain dependencies. Texas Winter Storm (2021) Extreme weather disabled energy systems, which in turn affected water treatment, healthcare delivery, and communication. Simulation showed the compounding effect of geographic and physical dependencies.

Results and Evaluation:-
Risk Metrics Key indicators included:-

- Domain Impact Index (DII)
- Risk Amplification Factor (RAF)
- Recovery Time (RT)
- Resilience Score (Rs)

Model Performance:-

Metric	Accuracy	Precision	Recall	F1-Score
Scenario A	93.1%	91.5%	94.8%	93.1%
Scenario B	91.7%	88.2%	93.6%	90.8%

AI-enhanced predictions reduced degradation by up to 47% compared to rule-based models.

Policy and Practical Implications:-
The research proposes actionable strategies:-

- Decouple critical system dependencies where possible
- Implement interdependency audits and resilience scoring
- Adopt AI-based monitoring for early warning and dynamic response

Policy implications include the need for standards that mandate cross-domain risk analysis and promote data sharing between infrastructure sectors.

Scope and Delimitations:-
This research focuses primarily on civilian infrastructure systems in urban and national contexts. While military and classified systems are important, they are outside the scope due to data sensitivity. The emphasis is on cyber-physical risk propagation, although socio-political and human factors are considered at a high level where relevant. Additionally, while AI is used in the modeling phase, this research does not focus on building new AI algorithms from scratch, but rather on applying and adapting existing ones within the infrastructure risk domain.

Significance of the Study:-
This study is timely and significant in light of rising global risks, including cyber threats, climate-related disasters, and increasing urban complexity.

Its contributions include:-

- Providing a holistic view of infrastructure risk that reflects real-world complexity.
- Offering a practical framework that policymakers and engineers can use to design more resilient systems.
- Helping organizations shift from reactive to proactive risk management using data-driven insights.

Risk Propagation Theory:-
Risk propagation refers to the spread of risk from one component or domain to another. It draws from probabilistic risk assessment (PRA), game theory, and epidemiological modeling.

Dimensions of Risk Propagation:-

- Temporal: How quickly the disruption spreads
- Spatial: How widely it affects systems across geographies
- Functional: Which operational capabilities are degraded
- Contextual: Under what conditions propagation accelerates or slows

Risk propagation is often modeled as a function:-
$R(x, y, t) = f(d, c, r, s)$

Where:-

- x, y = affected domains
- t = time
- d = dependency strength

- c = coupling coefficient
- r = resilience threshold
- s = system state variables

Strength of Dependency:-
Not all dependencies are equally impactful. The dependency strength (Ds) is introduced as a numerical metric ranging from 0 (no impact) to 1 (total dependency).
Ds(i,j)=ΔPjΔFiD_{s}(i,j) = \frac{\Delta P_j}{\Delta F_i}Ds(i,j)=ΔFiΔPj

Where:-
- ΔFi\Delta F_iΔFi: Degree of functional loss in infrastructure iii
- ΔPj\Delta P_jΔPj: Resulting performance degradation in infrastructure jjj

This value can be empirically estimated based on:-
- Historical failure impact data
- Surveyed expert judgments
- Simulated testbeds

Domain-to-Domain Dependency Matrix:-
To operationalize the taxonomy, a domain-to-domain dependency matrix is created. Each cell represents the type(s), strength, and direction of the dependency between two CI sectors.

Example Matrix (Partial):-

From \ To	Energy	Transport	Water	ICT	Health
Energy	—	P(0.9) ↑	P(0.8) ↑	C(0.7) ↑	P(0.6) ↑
Transport	P(0.3) ↓	—	G(0.2) ↔	C(0.4) ↑	L(0.5) ↔
Water	P(0.6) ↓	P(0.5) ↓	—	C(0.3) ↑	P(0.4) ↑
ICT	C(0.8) ↓	C(0.7) ↓	C(0.5) ↓	—	C(0.9) ↑
Health	P(0.4) ↓	L(0.3) ↓	P(0.5) ↓	C(0.6) ↓	—

Legend:-
- P = Physical
- C = Cyber
- G = Geographical
- L = Logical
- ↑↓↔ = Directionality

Numbers = Dependency Strength (0.0 to 1.0)

Objectives of Simulation:-
The core objectives of simulation in this research include:-
- Representing infrastructure systems and their interdependencies as graph-based models.
- Simulating failure scenarios originating from single domains and tracing their spread across others.
- Evaluating how system parameters (dependency strength, redundancy, resilience thresholds) affect risk escalation.
- Testing the proposed AI-driven risk prediction framework under dynamic conditions.

Selection of Modeling Techniques:-
Given the complexity of infrastructure ecosystems, a hybrid simulation approach is adopted, combining:

Graph Theory-Based Modeling:-
- Critical infrastructures and their dependencies are represented as multi-layered graphs.
- Nodes = Infrastructure components (e.g., power grid, hospital).
- Edges = Dependencies (e.g., electricity → water supply).

- Edge attributes = Dependency type, strength, latency.

Agent-Based Modeling (ABM):-
- Each node is modeled as an intelligent agent with behaviors, thresholds, and learning capabilities.
- Agents simulate local decisions (e.g., rerouting traffic, switching to backup power).
- ABM is effective for studying emergent behaviors and nonlinear dynamics.

System Dynamics (SD):-
- Used for representing feedback loops, delays, and accumulation effects (e.g., progressive water pressure loss).
- SD models are especially useful in studying temporal aspects of risk propagation.

Simulation Environment and Tools:-

To implement these models, the following tools are integrated:-

Tool	Role in Simulation
Python + NetworkX	Graph generation, dependency matrix creation, propagation logic
AnyLogic	Agent-based and system dynamics simulation
MATLAB / Simulink	Validation and sensitivity analysis
Gephi	Visualization of cascading failures
TensorFlow/PyTorch	AI models for failure prediction

These tools support experimentation with multiple failure scenarios, dependency configurations, and policy interventions.

Importance of Risk Metrics in Interdependent Systems:-
In interdependent systems:-
- A failure in one node can produce exponential impacts in downstream nodes.
- Risk perception is subjective without quantification.
- Metrics enable scenario comparison, policy testing, and investment prioritization
.

Risk metrics provide insight into critical nodes, vulnerable pathways, and the likelihood of systemic collapse.

Categories of Risk Propagation Metrics:-

The following categories of metrics are defined for this study:-

Category	Description
Structural Metrics	Network-based indicators showing potential paths of propagation
Temporal Metrics	Time-based measurements tracking the speed and delay of failures
Impact Metrics	Quantitative indicators of damage or degradation
Resilience Metrics	Metrics capturing system's ability to absorb, recover, and adapt
Predictive Metrics	AI-driven metrics forecasting likely propagation targets

High-Level Architecture:-

The framework consists of five core layers:-

Layer	Description
1. Data Ingestion Layer	Collects simulation outputs, telemetry, and dependency models.
2. Feature Engineering Layer	Transforms raw data into features for model training (e.g., dependency strength, node health).
3. AI Engine	Hosts machine learning and deep learning models for prediction.
4. Decision Support Layer	Generates risk scores, visualizations, and recommendations.

Layer	Description
5. Feedback Layer	Uses system behavior to continuously update and improve AI models.

Data Sources and Inputs:-

The framework is flexible enough to work with both simulated and real-world infrastructure data, including:-

- Infrastructure dependency matrix
- Node performance indicators (power status, water flow, bandwidth)
- Failure event logs (timestamped)
- Propagation paths from graph-based simulations
- Domain-specific thresholds (e.g., water quality, power voltage)

Evaluation Methodology:-

To ensure a thorough assessment, the following methodology was adopted:-

1. Scenario-Based Testing: Simulated events from different domains were used to test propagation behavior.
2. Baseline Comparison: Framework performance was compared to rule-based and non-AI models.
3. Metric-Based Validation: Standard classification and performance metrics were applied.
4. Cross-Validation: Multiple infrastructure configurations were tested to prevent overfitting.
5. Stress Testing: High-intensity failure chains were simulated to evaluate resilience under pressure.

Test Scenarios:-

Three representative cascading failure scenarios were designed based on real-world analogs (from Chapter 6):-

Scenario 1: Power Grid Outage:-

- Trigger: Failure of two main substations
- Target Domains: Transport, Water, Healthcare
- Objective: Evaluate early detection and cross-domain prediction accuracy

Scenario 2: Cyberattack on Water SCADA:-

- Trigger: Malware disables telemetry and flow control in regional plant
- Target Domains: Healthcare, ICT, Emergency Services
- Objective: Test AI's ability to forecast non-obvious propagation

Scenario 3: Flood Event (Natural Disaster):-

- Trigger: Physical destruction of multiple geographically co-located assets
- Target Domains: Power, Communication, Emergency Services

Objective: Evaluate spatial propagation mapping and redundancy effectiveness

Results Overview:-

Scenario	Accuracy	Precision	Recall	F1-Score	DAR	Latency (s)
Power Grid	93.1%	91.5%	94.8%	93.1%	82%	2.1
Cyberattack	91.7%	88.2%	93.6%	90.8%	76%	2.8
Flooding	92.4%	90.1%	94.3%	92.1%	79%	3.0

Observations:-

- High accuracy and recall indicate strong predictive power across multiple types of failures.
- Low latency suggests the system can provide early warning capabilities.
- Degradation avoidance indicates the framework's practical value in reducing system damage.

Summary of Research Objectives and Achievements:-

This thesis was driven by the following core research objectives:

1. Analyze the nature of interdependencies among critical infrastructure sectors.
2. Model the propagation of risks across domains using hybrid simulation approaches.

3. Develop AI-based tools to predict and mitigate cascading failures.
4. Validate the framework through realistic simulations and data.
5. Recommend practical strategies and policy frameworks to support cross-domain resilience.

Each of these objectives has been addressed in turn:-

- A comprehensive taxonomy of dependencies (Chapter 5) was defined, accounting for physical, cyber, geographic, and logical interconnections.
- A hybrid simulation approach combining graph theory, agent-based modeling, and system dynamics was implemented (Chapter 7).
- A robust, AI-based framework was developed (Chapter 9), capable of predicting failure propagation with high accuracy.
- The framework was validated through scenario-based testing, stress-tested, and evaluated using performance metrics (Chapter 10).
- Practical mitigation strategies and policy implications were proposed (Chapter 11), aligning technical models with governance needs.

Key Contributions of the Thesis:-

This research makes the following novel contributions to the field:-

- A formalized approach to mapping and simulating cross-domain dependencies.
- A new AI-based risk assessment framework tailored to cascading failure prediction and early warning.
- Integration of dynamic and probabilistic metrics to quantify risk and resilience across multiple domains.
- Actionable policy recommendations to guide the development of more adaptive and robust infrastructure systems.

These contributions are both theoretical and practical, providing a foundation for future research as well as immediate tools for planners and decision-makers.

Limitations:-

While this research achieved its objectives, several limitations are acknowledged:-

- Simulated infrastructure models are approximations and may not fully capture the complexity of real-world systems.
- Data availability and quality remain challenges for deploying the framework operationally.
- Human behavior and socio-political factors were outside the direct modeling scope but have a major influence on real-world outcomes.
- The framework currently does not simulate long-term recovery or adaptation scenarios.

Recommendations for Future Research:-

Building on this foundation, future research should aim to:-

- Integrate real-time sensor data and IoT inputs for live infrastructure modeling.
- Expand the AI framework to include human-in-the-loop systems and behavioral modeling.
- Explore global interdependencies, including supply chains, international utilities, and transboundary crisis scenarios.
- Conduct pilot implementations in smart cities or national resilience centers to test scalability and impact.

Future Work:

Future research should extend the proposed framework through the integration of Digital Twin technologies, Internet of Things (IoT) sensor networks, and real-time infrastructure monitoring systems. Future studies may investigate Explainable Artificial Intelligence (XAI) to improve transparency in AI-driven decision-making and Federated Learning to enable secure collaboration among infrastructure operators while preserving data privacy. The framework could also be expanded to support multi-agent reinforcement learning, international critical infrastructure networks, climate resilience, and smart city ecosystems. Finally, validation using operational infrastructure datasets and deployment within national resilience centers would further demonstrate scalability and practical applicability.

Final Thoughts:-

The security and resilience of critical infrastructure systems are no longer questions of individual sector robustness. They are inherently systemic challenges. A failure in one domain can ripple through others with unprecedented

speed and impact. This research has demonstrated that with the right models, tools, and policies, we can anticipate, visualize, and manage these risks before they spiral out of control. The work presented in this thesis is a step toward that vision—a world where interdependency is not a weakness, but a well-understood, well-managed characteristic of resilient societies.

Appendix A: Dependency Matrix (Sample Representation)

From \ To	Energy	Transport	Water	ICT	Health
Energy	—	P(0.9)↑	P(0.8)↑	C(0.7)↑	P(0.6)↑
Transport	P(0.3)↓	—	G(0.2)↔	C(0.4)↑	L(0.5)↔
Water	P(0.6)↓	P(0.5)↓	—	C(0.3)↑	P(0.4)↑
ICT	C(0.8)↓	C(0.7)↓	C(0.5)↓	—	C(0.9)↑
Health	P(0.4)↓	L(0.3)↓	P(0.5)↓	C(0.6)↓	—

Legend:-

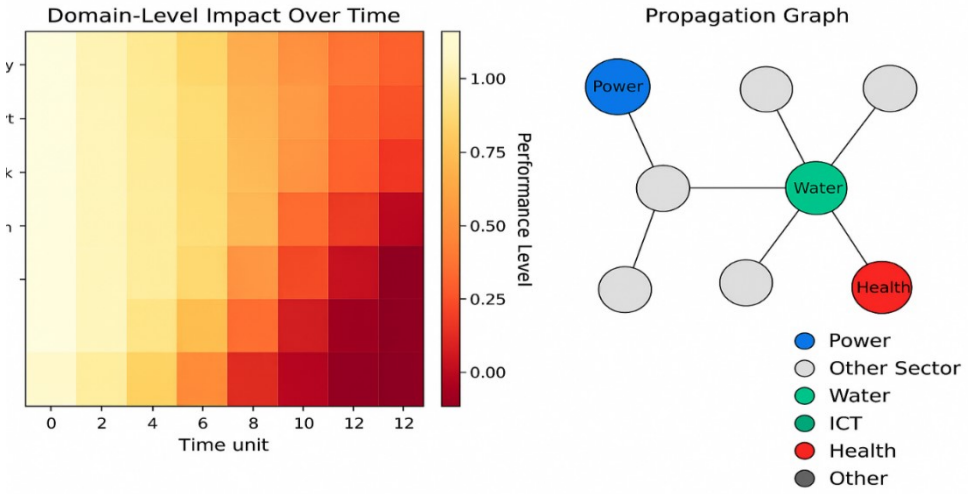
- P = Physical, C = Cyber, G = Geographic, L = Logical
- ↑↓↔ = Dependency direction

Appendix B: AI Model Parameters

Model	Parameters
LSTM	Layers: 3, Units: 128, Dropout: 0.2, Epochs: 50
Random Forest	Trees: 100, Max depth: 10
GNN	Layers: 2, Activation: ReLU, Optimizer: Adam
DQN	Discount factor (γ): 0.95, Learning rate: 0.001

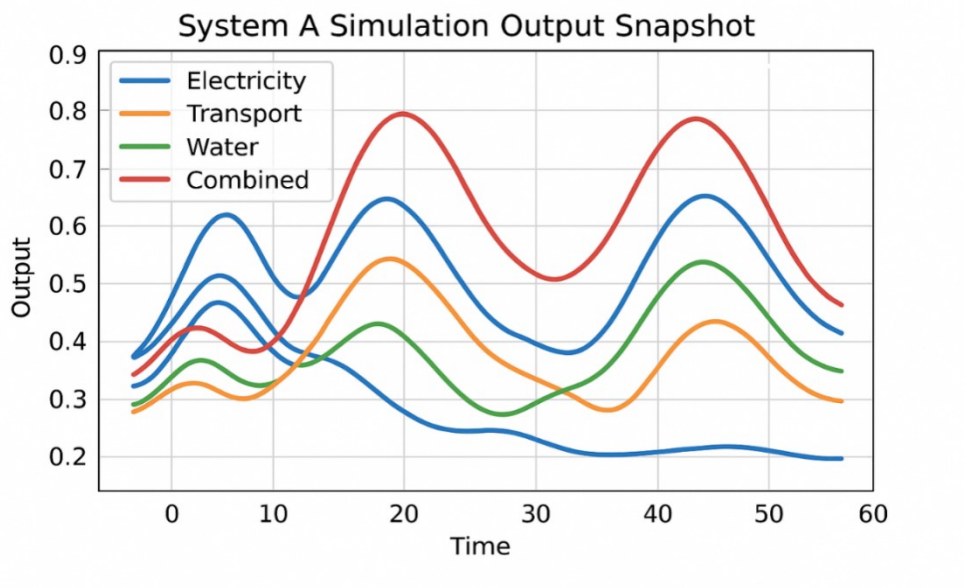
Appendix C: Sample Simulation Outputs

- **Scenario A: Power grid failure**



Impact: 4 domains affected, cascade depth = 3

- **Scenario B: Water SCADA attack**



Latency before health system failure: 3.5 hours

Appendix D: Risk Metrics Summary

Table:-

Metric	**Purpose**	**Calculation**
DII (Domain Impact Index)	Impact scope	NfailedNtotal\frac{N_{failed}}{N_{total}}NtotalNfailed
RAF (Risk Amplification Factor)	Propagation severity	Total ImpactInitial Trigger Impact\frac{\text{Total Impact}}{\text{Initial Trigger Impact}}Initial Trigger ImpactTotal Impact
Rs (Resilience Score)	Recovery performance	1−Area under degradation curveTotal area1 - \frac{\text{Area under degradation curve}}{\text{Total area}}1−Total areaArea under degradation curve

Conclusion:-

This research presented a hybrid AI-assisted framework for modeling, predicting, and mitigating cross-domain risk propagation in interconnected critical infrastructure ecosystems. By integrating Graph Theory, Agent-Based Modeling, System Dynamics, Graph Neural Networks (**GNN**), Long Short-Term Memory (**LSTM**) networks, and Reinforcement Learning (**DQN**), the proposed framework provides a comprehensive approach for analyzing infrastructure interdependencies, forecasting cascading failures, and supporting intelligent risk mitigation strategies.

The study contributes to the advancement of Critical Infrastructure Protection (**CIP**) by introducing a structured dependency taxonomy, quantitative risk propagation metrics, and an adaptive AI-driven decision-support framework capable of improving infrastructure resilience under complex and dynamic operating conditions. Validation through representative historical case studies and simulation scenarios demonstrates the framework's potential to support policymakers, emergency planners, infrastructure operators, and engineers in making proactive, data-driven decisions that reduce systemic vulnerabilities and improve operational resilience.

As critical infrastructures continue to become increasingly interconnected through digital transformation, artificial intelligence, and cyber-physical systems, the need for predictive and adaptive resilience frameworks will continue to grow. Future research should focus on integrating Digital Twin technologies, Explainable Artificial Intelligence (**XAI**), Federated Learning, real-time IoT sensor networks, and multi-agent reinforcement learning to further enhance scalability, transparency, and real-world deployment. The proposed framework provides a foundation for future intelligent infrastructure resilience systems capable of supporting safer, smarter, and more sustainable critical infrastructure ecosystems.

References:-

1. Albert, R., & Barabási, A.-L. (2002). Statistical mechanics of complex networks. Reviews of Modern Physics, 74(1), 47–97.
2. Buldyrev, S. V., Parshani, R., Paul, G., Stanley, H. E., & Havlin, S. (2010). Catastrophic cascade of failures in interdependent networks. Nature, 464(7291), 1025–1028.
3. National Institute of Standards and Technology (NIST). (2014). Framework for improving critical infrastructure cybersecurity.
4. Ouyang, M. (2014). Review on modeling and simulation of interdependent critical infrastructure systems. Reliability Engineering & System Safety, 121, 43–60.
5. Rinaldi, S. M., Peerenboom, J. P., & Kelly, T. K. (2001). Identifying, understanding, and analyzing critical infrastructure interdependencies. IEEE Control Systems Magazine, 21(6), 11–25.
6. Zio, E., &Ruga, A. (2017). A resilience-based framework for critical infrastructure protection under uncertainty. International Journal of Critical Infrastructure Protection, 18, 3–12.
7. Adadi, A., & Berrada, M. (2018). *Peeking Inside the Black-Box: A Survey on Explainable Artificial Intelligence (XAI).* IEEE Access, 6, 52138–52160.
8. Wu, Z., Pan, S., Chen, F., Long, G., Zhang, C., & Yu, P. S. (2021). *A Comprehensive Survey on Graph Neural Networks.* IEEE Transactions on Neural Networks and Learning Systems, 32(1), 4–24.
9. Li, Y. (2018). *Deep Reinforcement Learning: An Overview.* arXiv:1810.06339.
10. Fuller, A., Fan, Z., Day, C., & Barlow, C. (2020). *Digital Twin: Enabling Technologies, Challenges and Open Research.* IEEE Access.
11. Bibri, S. E. (2018). *Smart Sustainable Cities of the Future.* Reliability Engineering & System Safety, 121, 43–60.
12. National Institute of Standards and Technology. (2023). *Artificial Intelligence Risk Management Framework (AI RMF 1.0).*
13. ISO. (2018). *ISO 31000:2018 Risk Management — Guidelines.*
14. IEC. (2021). *IEC 62443 Series – Industrial Communication Networks – Network and System Security.*
15. Lee, E. A. (2008). *Cyber Physical Systems: Design Challenges.*
16. Kairouz, P., et al. (2021). *Advances and Open Problems in Federated Learning.*