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RESEARCH ARTICLE

THEORETICAL INVESTIGATION ON THE EFFECTS OF THE FIN-TUBE CONTACT ZONES ON THE EXCHANGED CONVECTIVE HEAT FLUX BETWEEN A FINNED-TUBE AIR-COOLED CONDENSER AND ITS SURROUNDING ENVIRONMENT

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Abstract

Adding fins on the tubes of an air-cooled condenser allows to increase its heat transfer area. The purpose of this work is to investigate on the effects of the tube-fin contact zones on the condenser convective heat transfer with the surrounding air. It proposes a method of determining the condenser outer surface and a ratio which compares the losses to the heat flux gains due to the input of fins. This ratio characterizes the influence of the in-tube contact zones on the exchanged convective heat flux and informs whether or not their effect has to be taken into account. The developed model allowed to obtain relations which give the condenser effective exchange outer surface which participates to convective heat transfers. The obtained results using Matlab software show that the ratio of the losses to the heat flux gains does not depend on the number of fins. However, it increases with the number of tubes, with their outer diameter and with the fin thickness. It is found that, when this ratio is less than 0.026, the effects of the fin-tube contact zones on the condenser convective heat transfer can be neglected. Otherwise, these effects have to be taken into account when determining the condenser exchanged heat flux with its outer environment.

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Introduction:-

The performance of a refrigeration system, especially with mechanical vapor compression, is highly dependent on the efficiency of the condenser which evacuates the heat absorbed by the refrigerant to the outside environment [1;2]. In fact, when the heat transfer is not sufficient, the work of the compressor becomes important, which can lead to an increase in energy consumption [3].

Depending on the coolant, a distinction is made between water-cooled condensers, evaporative condensers and ambient air-cooled condensers [4]. The use of air-cooled condensers is more widespread due to the free air and its unlimited availability in large quantities. However, due to the very low specific heat and overall heat transfer coefficient, heat removal in this kind of condenser technology will require large air volumes and large exchange areas [5]. Therefore, fins are added on the tubes of the condenser in order to increase its external heat exchange surface and intensify heat transfer [6]. The fins are usually made of aluminum and are attached to the tubes either

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by welding or by soldering or by extrusion, etc. [6]. This engenders contact zones between the tubes and the fins which will be inaccessible to the ambient air and which can constitute an obstacle for convective heat exchanges between the air and part of the outer surfaces of the tubes and fins. Besides, when the fins are not in good contact with the tubes, it can dramatically decrease the efficiency of the condenser heat transfer [7].

When the number of tubes and the number of fins become very large, the area occupied by the contact zones and the total thermal contact resistance can also be important. The input of fins therefore constitutes a gain by increasing the heat exchanger outer surface but also could have side effects which manifest themselves in the form of heat losses. Thus, neglecting or not the effect of the tube-fin contacts when determining the outer surface of the condenser and the exchanged convective heat flow must be done according to well-defined principles.

Much research has been done on the various factors that influence on the performance of an air-cooled condenser. Most of these studies are concerned with the influence of wind and ambient temperature. In fact, it has been well documented that ambient winds can lead to the distortion of the condenser inlet air flow and to an increase in the air temperature at the inlet of the condenser fans [8; 9]. To counter the effect of the wind, proposals have been made such as the installation of wind screens under the condenser platform [10], the installation of wind walls to attenuate the distortion of the inlet air flow and reduce the condenser inlet air temperature

[11], and the construction of walkways at the edge of the condenser platform [12; 13]. Regarding the ambient temperature, many studies have focused on the pre-cooling of the condenser inlet air flow by spraying water upstream of the condenser [14; 15; 16].

However, other factors such as resistances related to condenser fouling have been investigated. In 2017, Howard Cheung et al [17], by proposing a method of controlling condenser fouling, showed that it considerably reduces the performance of the system. Lee and al [18] made experimental and numerical investigations on the efficiency of a condenser for the refrigerants R-22 and R-407C and determined the quantities of heat exchanged by the ϵ -NUT method. When calculating the global exchange coefficient, they considered the thermal resistances due to fin-tube contacts and the thermal resistances due to pollution and contaminants, but they did not study their influence on the efficiency of the condenser. Deng et al [19], by carrying out a numerical study on complete condensation and on the effect of freezing on finned-tube air-cooled condensers, showed that this latter decreases the efficiency of the heat exchanger.

Despite all these aforementioned studies, the influence of the fin-tube contact zones on the convective heat flux exchanged between the condenser outer area and its surrounding environment has not yet been investigated. It seems to be neglected in most studies when determining the condenser heat transfer outer area. In this work, a ratio which characterizes the effect of the tube-fin contact zones on the convective heat flux has been introduced. The objective is to propose a more precise model for determining the heat transfer outer area of a finned-tube air-cooled condenser which effectively participate to convective heat flux exchanges with its surrounding environment, to study and compare the losses and gains of heat flows due to the input of fins. This ratio will therefore provide information on whether or not the effect of the tube-fin contact zones can be neglected.

Mathematical modelling and method

Model assumptions:

1. The fins are rectangular and the tubes are cylindrical;
2. The U-shaped parts of the tubes are not taken into account when determining the outer surface;
3. The total contact area is considered to be equal to all the areas occupied by the tubes on the fins and by the fins on the tubes;
4. The temperature is uniform over the entire wall of the condenser.

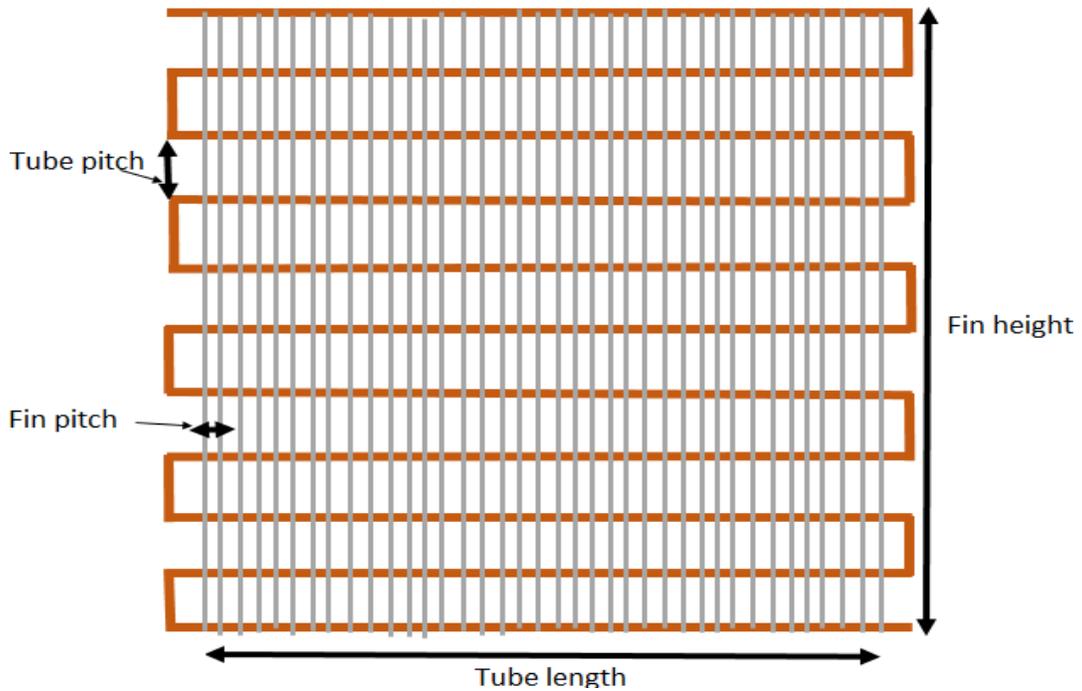


Figure1:- Schematic representation of a finned-tube condenser.

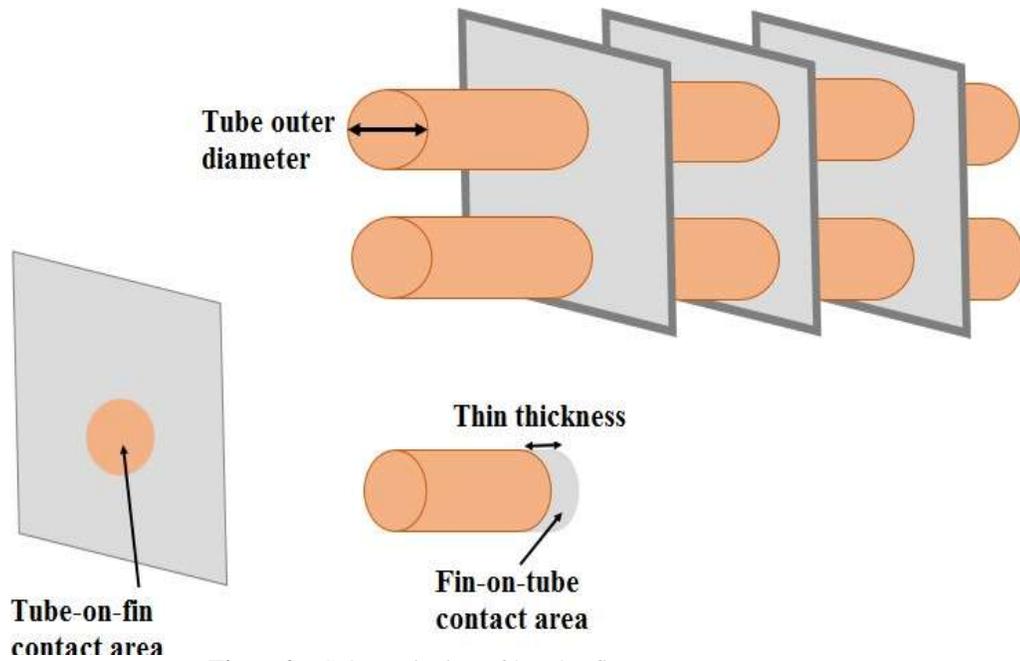


Figure2:- Schematic view of the tube-fin contact areas.

Determination of the condenser outer surface

The condenser effective outer surface is the difference between its total outer area (without taking into account the fin-tube contact zones) and the total area occupied by these contacts. After resolution it is given as follows:

$$S_{ef,o,cond} = \pi N_{tot,t} D_o L_{en,t} + N_f H_f (E + 2L_{ar,f}) - N_{tot,t} N_f \left(\pi D_o E + \frac{\pi D_o^2}{2} \right) \text{Eq.1}$$

The first term of this equation (Eq.1) represents the outer surface of the tubes, the second term the outer surface of the fins (lateral and frontal) and the last term the total tube-fin contact area.

The condenser heat exchange outer surface S_{exch} is determined considering the fin efficiency η_f . It's given by :

$$S_{exch} = S_{ef,o,t} + \eta_f S_{ef,o,f} \text{Eq.2}$$

With $S_{ef,o,t}$ the tube effective outer surface and $S_{ef,o,f}$ the fin effective outer surface

$$S_{ef,t} = \pi N_{tot,t} D_o L_{en,t} - N_{tot,t} N_f \pi D_o E \text{Eq.3}$$

$$S_{ef,f} = N_f H_f (E + 2L_{ar,f}) - N_{tot,t} N_f \frac{\pi D_o^2}{2} \text{Eq.4}$$

In Eq.3, the first term represents the tube total outer surface ($S_{o,t}$) and the second term the total contact area of the fins on the tubes ($S_{f/t}$). In Eq.4, the first term represents the

fin total outer surface ($S_{o,f}$) and the second term the total contact area of the tubes on the fins ($S_{t/f}$)

$$\text{With } N_f = \frac{L_{en,t} + p_f}{E + p_f}, N_{v,t} = \frac{H_f + p_{v,t}}{D_o + p_{v,t}}, N_{h,t} = \frac{L_{ar,f} + p_{h,t}}{D_o + p_{h,t}} \text{ et } N_{tot,t} = N_{v,t} \cdot N_{h,t}$$

The fins efficiency is calculated from the Schmidt's approximation as follows:

$$\eta_f = \frac{\tanh\left(M\left(\frac{D_{in}}{2}\right)\phi\right)}{M\left(\frac{D_{in}}{2}\right)\phi} \text{Eq.5}$$

$$\phi = \left(1.27 \frac{X_M}{\frac{D_{in}}{2}} \left(\frac{X_L}{X_M} - 0.3 \right)^{\frac{1}{2}} \right) \left(1 + 0.35 \ln \left(1.27 \frac{X_M}{\frac{D_{in}}{2}} \left(\frac{X_L}{X_M} - 0.3 \right)^{\frac{1}{2}} \right) \right) \text{Eq.6}$$

$$\text{With } X_M = \frac{p_{v,t}}{2}, X_L = \sqrt{\left(\frac{p_{v,t}}{2}\right)^2 + \frac{p_{v,t}^2}{2}} \text{ et } M = \sqrt{\frac{2h_{ex}}{E\lambda_{ai}}} \text{ geometrical parameters.}$$

Thermal balance

The tubes are considered clean and the thermal resistance due to fouling is neglected. The condenser overall heat transfer coefficient is determined by taking into account the tube-fin contact thermal resistances as follows:

$$\frac{1}{U_o S_{ef,o,cond}} = \frac{1}{U_{in} S_{in,t}} = \frac{1}{\eta_o S_{ef,o,cond} h_o} + \frac{\ln\left(\frac{D_o}{D_{in}}\right)}{2\pi\lambda_t N_{tot,t} L_{en,t}} + \frac{1}{\eta_{in} h_{in} S_{in,t}} + R_{cont} \text{Eq.7}$$

With η_{in} the efficiency of the condenser internal surface, $\eta_o = 1 - \frac{S_{ef,ai}}{S_{ex,ef}} (1 - \eta_f)$ the overall efficiency of the condenser outer surface and $R_{cont} = R_{f/t} \cdot S_{f/t}$ the total thermal contact resistance.

From the equation Eq. 7, the overall heat exchange coefficient can be expressed as a function of the condenser inner or outer surface. Expressing it as a function of the condenser outer surface and considering that $\eta_{in} = 1$ since there are no fins on the condenser inner surface, we have:

$$U_o = \frac{1}{\frac{1}{\eta_o h_o} + \frac{S_{ef,o,cond} \ln\left(\frac{D_o}{D_{in}}\right)}{2\pi\lambda_t N_{tot,t} L_{en,t}} + \frac{S_{ef,o,cond}}{h_{in} S_{in,t}} + S_{ef,o,cond} R_{cont}} \text{Eq.8}$$

Their side external exchange coefficient can be obtained using the Colburn factor j determined experimentally by [20]:

$$h_o = \frac{\lambda_a j R_{e,D_o} P_{r,a}^{\frac{1}{3}}}{D_o} \text{Eq.9}$$

$$\text{With } j = 0.394 R_{e,D_o}^{-0.392} \left(\frac{E}{D_o}\right)^{-0.0449} N_{tot,t}^{-0.0897} \left(\frac{p_f}{D_o}\right)^{-0.212}$$

Therefrigerant sideinternal exchange coefficient is given as follows:

$$h_{in} = \frac{Nu_{refr} \lambda_{refr}}{D_{in}} \quad \text{Eq.10}$$

In laminar flow for $Re_{D_{in}} < 2000$, L  v  que's experimental correlations are applicable as a function of a parameter A such that:

$$A = \frac{1}{Re_{D_{in}} Pr_{refr}} \frac{L_{en,t}}{D_{in}} \quad \text{Eq.11}$$

In that case:

$$Nu_{refr} = 3.66 \text{ for } A > 0.05 \quad \text{Eq.12}$$

$$Nu_{refr} = 1.06 A^{-0.4} \text{ for } A < 0.05 \quad \text{Eq.13}$$

The Colburn's formula for Nu_{refr} in a turbulent flow is given by:

$$Nu_{refr} = 0.023 P_{r,refr}^{\frac{1}{3}} Re_{D_{in}}^{0.8} \quad \text{Eq.14}$$

This formula is valid for $10^4 < Re_{D_{in}} < 1.2 \cdot 10^5$, $0.7 < Pr_{refr} < 100$ and for a perfectly established flow regime in the tube ($\frac{L_{en,t}}{D_{in}} > 60$).

For $\frac{L_{en,t}}{D_{in}} < 60$, the Colburn correlation must be corrected to take into account that the velocity profile of the fluid in the tube is not yet fully established. In that case:

$$Nu_{refr} = 0.023 P_{r,refr}^{\frac{1}{3}} Re_{D_{in}}^{0.8} \left(1 + \left(\frac{L_{en,t}}{D_{in}} \right)^{0.7} \right) \quad \text{Eq.15}$$

The amount of heat effectively exchanged between the refrigerant and the outside environment is given by:

$$Q_{cond} = U_o S_{ef,o,cond} (T_{ref} - T_a) \quad \text{Eq.16}$$

The amount of heat effectively exchanged by convection between the condenser outer surface and its surrounding air is expressed as follows:

$$Q_{conv} = h_o S_{ef,o,cond} (T_w - T_a) \quad \text{Eq.17}$$

When the fin-tube contact zones are not taken into account during the calculation, the quantity of heat exchanged between the refrigerant and the ambient air and that exchanged by convection between the condenser outer surface and the surrounding air are given respectively by:

$$Q_{cond}' = U_o' S_{o,cond} (T_{ref} - T_a) \quad \text{Eq.18}$$

$$Q_{conv}' = h_o S_{o,cond} (T_w - T_a) \quad \text{Eq.19}$$

$$\text{With } U_o' = \frac{1}{\frac{1}{\eta_o' h_o} + \frac{S_{o,cond} \ln\left(\frac{D_o}{D_{in}}\right)}{2\pi \lambda_t N_{tot,t} L_{en,t}} + \frac{S_{o,cond}}{h_{in} S_{in,t}}} \text{ et } \eta_o' = 1 - \frac{S_{o,f}}{S_{o,cond}} (1 - \eta_f)$$

The condenser convective heat flux exchanged by the bare tubes without adding fins is given by:

$$Q_{conv,t} = h_o S_{o,t} (T_w - T_a) \quad \text{Eq.20}$$

Since the heat flow discharged from the refrigerant to the ambient air is equal to the heat flow transmitted to the condenser outer wall by the refrigerant, the condenser outer wall temperature

T_w can be obtained from the temperature of the refrigerant T_{ref} as follows:

$$T_w = T_{ref} - Q_{cond} \left(\frac{\ln\left(\frac{D_o}{D_{in}}\right)}{2\pi\lambda_t N_{tot,t} L_{en,t}} + \frac{1}{h_{in} S_{in,t}} \right) \tag{Eq.21}$$

In this study, the temperature is taken as constant over the entire wall of the condenser. The temperature of the refrigerant in the condenser is therefore equal to its condensing

temperature $T_k = T_{ref}$ (without de-superheating and sub-cooling). By choosing a condenser temperature difference $\Delta T_{cond} = 15\text{ K}$ between the ambient air and the refrigerant, the condensing temperature can be obtained from the condenser air inlet temperature by:

$$T_k = T_{ref} = T_a + 15 \tag{Eq.22}$$

The heat flux gains due to the input of fins are given by:

$$Q_{conv,gain} = Q_{conv} - Q_{conv,t} \tag{Eq.23}$$

The heat flux losses due to the contact zones is expressed as follows:

$$Q_{conv,lost} = Q_{conv}' - Q_{conv} \tag{Eq.24}$$

DETERMINATION OF THE RATIO OF THE LOSSES TO THE HEAT FLUX GAINS

The ratio of the losses to the heat flux gains characterizes the effects of the fin-tube contact zones on the condenser exchanged convective heat flux. It is determined as follows:

$$r = \frac{Q_{conv,lost}}{Q_{conv,gain}} \tag{Eq.25}$$

Method:-

The properties of the R134a as a chosen refrigerant are obtained from the SOLKANE8 software at its condensing temperature in its state of saturated vapor. The air flow at the inlet of the condenser is taken at its state of ambient temperature at the speed rate of 2 m.s^{-1} (see **Table 1**). In this study, the thermal conductivity of the inlet air flow is taken as $0.026\text{ W.m}^{-1}\text{.K}^{-1}$. The condensing temperature of the R134a refrigerant is determined from the temperature of the condenser inlet air flow by setting a condenser temperature difference of $\Delta T_{cond} = 15\text{ K}$. The vertical pitch of the tubes is taken as equal to their horizontal one. The calculation code is developed on Matlab software in order to visualize the evolutions of the exchanged convective heat flows and the ratio of the losses to the heat flux gains (see **figure 3**). The results are obtained by varying the condenser parameters such as, the total number of tubes, their outer diameter, the total number of fins and their thickness. Before varying the number of tubes (fins), first we determine their maximum number in the condenser, then we maintain the number of fins (tubes) at its maximum value before varying the number of tubes (fins) from 1 to their maximum number. Every time we put on a tube (fin), we determine the fin-tube contact surfaces, the exchanged heat flows and the ratio of the losses to the heat flux gains. Throughout this study, the pitches of the tubes and fins are constant when varying the other condenser above-mentioned parameters. The tube thickness is also kept constant, therefore any change in the tube outer diameter will imply a change in the tube inner diameter.

Table 1:- Input parameters for the model.

Parameters	Values
Thermal conductivity of the R134a refrigerant, $\lambda_{refr}(\text{W.m}^{-1}\text{.K}^{-1})$	$15.34.10^{-3}$
Thermal capacity of R134a, $C_{p,ref}(\text{J.kg}^{-1}\text{.K}^{-1})$	1118
Viscosity of R134a, $\mu_{ref}(\text{Pa.s})$	$12.8980.10^{-6}$
Condenser temperature difference, $\Delta T_{cond}(\text{K})$	15
Tube length, $L_{en,t}(\text{m})$	0.44
Tube outer diameter, $D_o(\text{m})$	0.016

Tube inner diameter, D_{in} (m)	0.013
Thermal conductivity of the tubes (copper), λ_t ((W.m ⁻¹ .K ⁻¹))	360
Tube vertical pitch, $p_{v,t}$	0.045
Tube horizontal pitch, $p_{h,t}$	0.045
Width of the fins, $L_{ar,f}$ (m)	0.1
Fin thickness, E (m)	0.0003
Fin pitch, p_f	0.001
Fin height, H_f (m)	0.416
Fin thermal conductivity (aluminium), λ_f ((W.m ⁻¹ .K ⁻¹))	203
Air maximal speed rate, $V_{a,max}$ (m.s ⁻¹)	2
Condenser air inlet temperature, T_a (K)	298
Air viscosity, μ_a (Pa.s)	$1.7894 \cdot 10^{-6}$
Air thermal conductivity, λ_a ((W.m ⁻¹ .K ⁻¹))	0.026
Air thermal capacity, $C_{p,a}$ ((J.kg ⁻¹ .K ⁻¹))	1008
Air mass volume, ρ_a (Kg.m ⁻³)	1.225
Fin-on-tube thermal contact resistance, $R_{f/t}$ (m ² .K.W ⁻¹)	0.00205

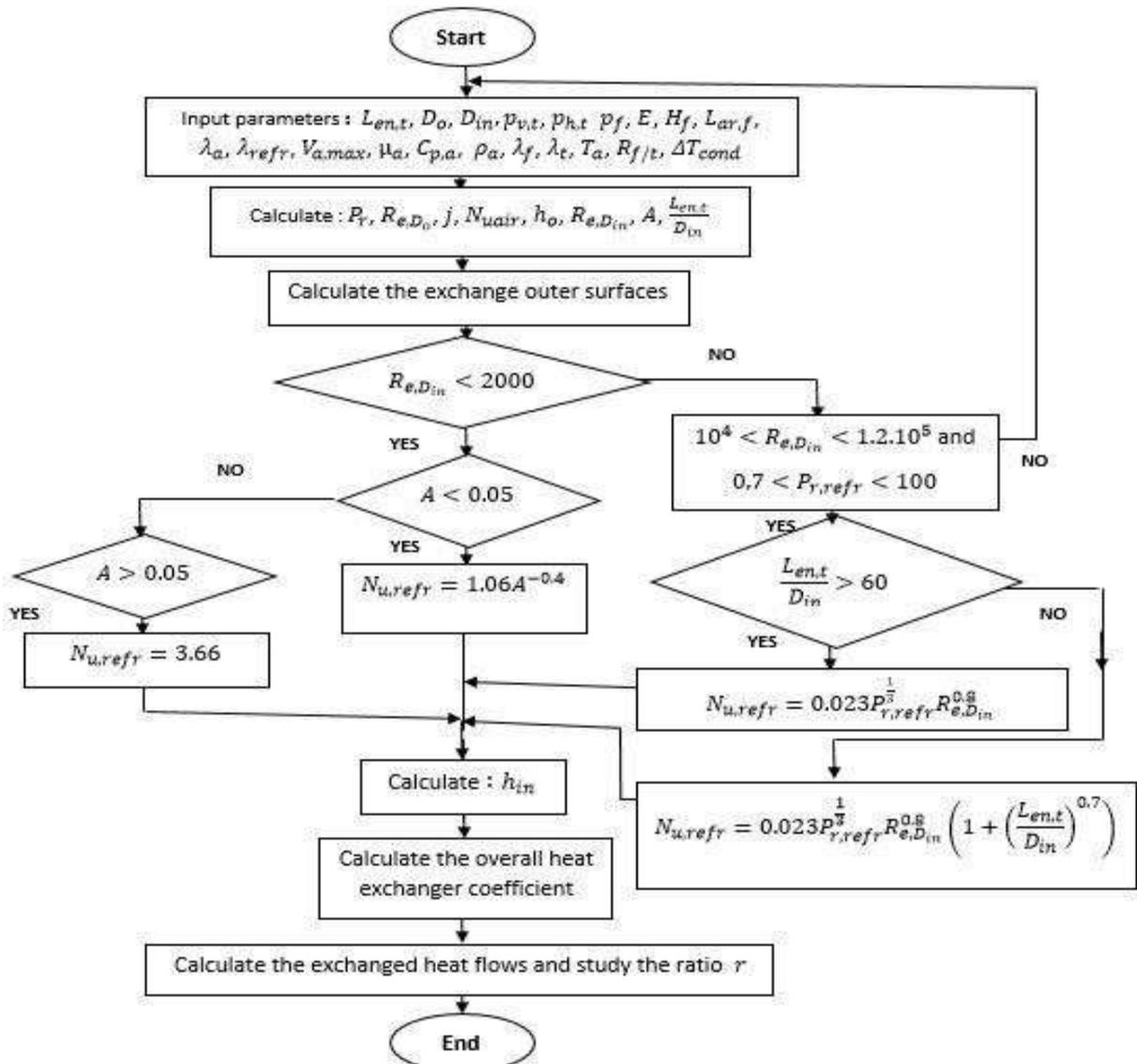
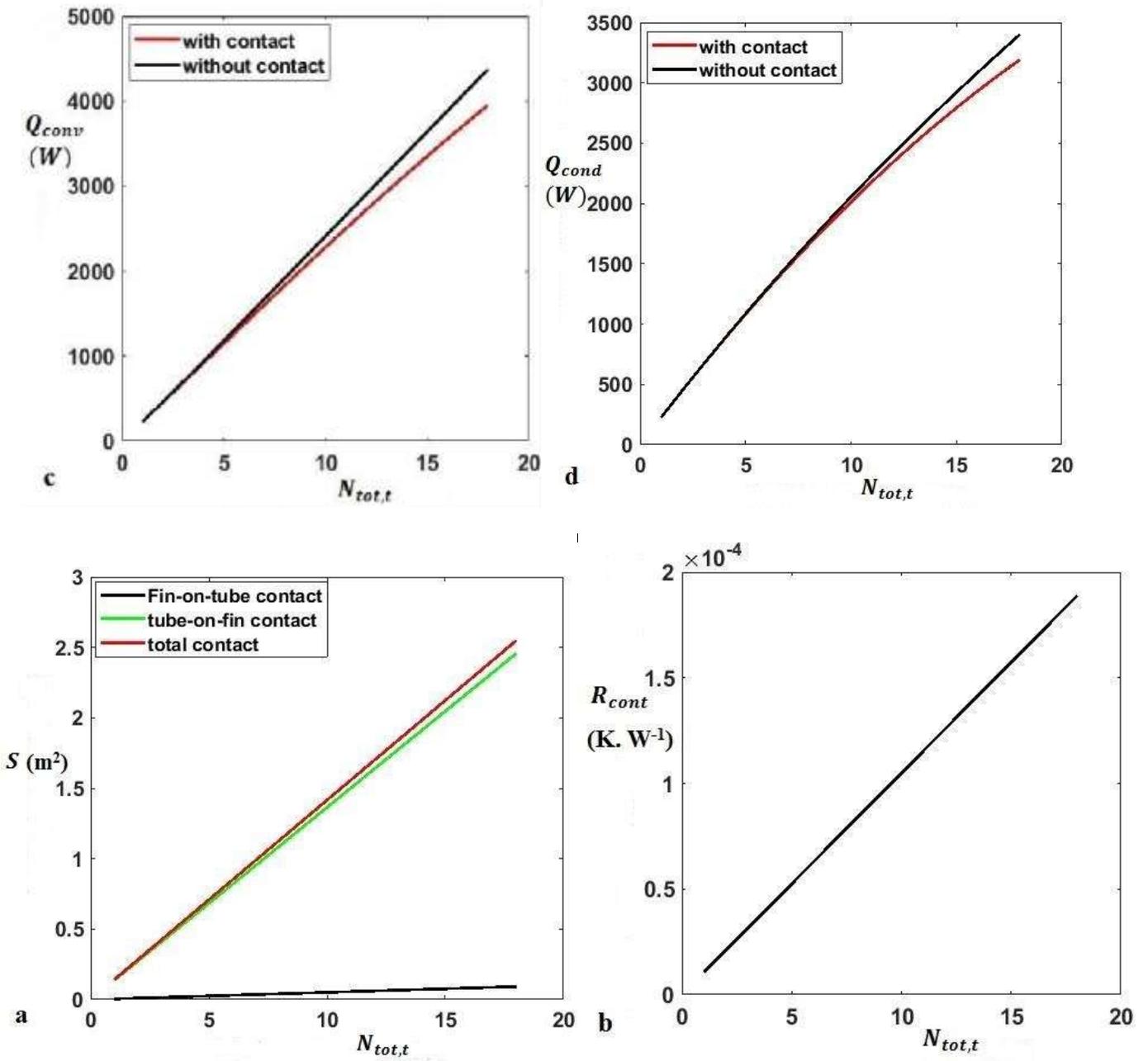


Figure3:- Calculation code on Matlab software.

Results and discussions3-1Influenceoftubes



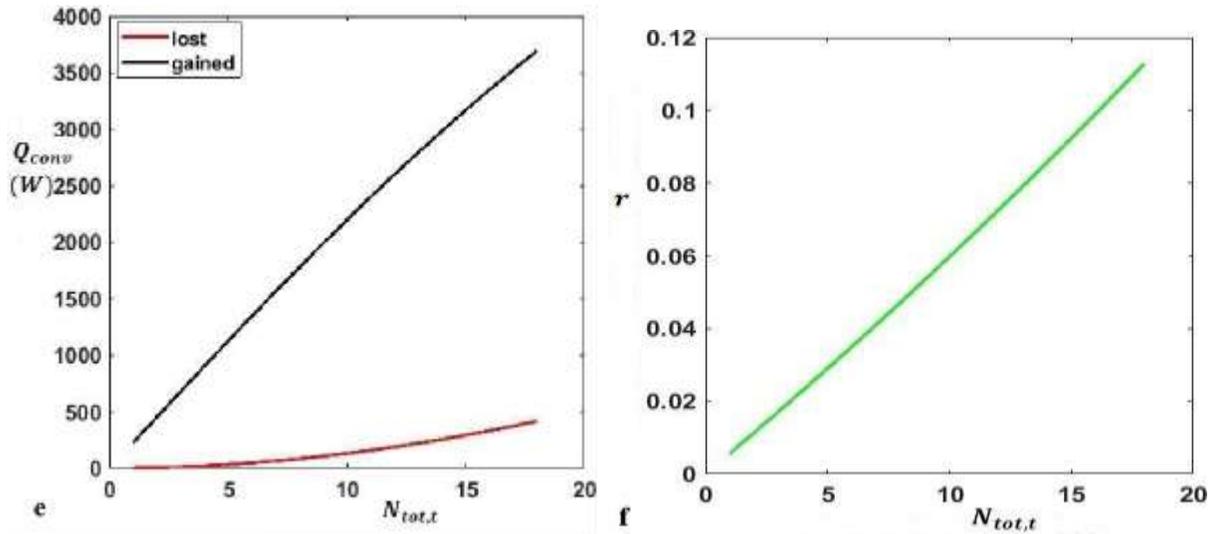
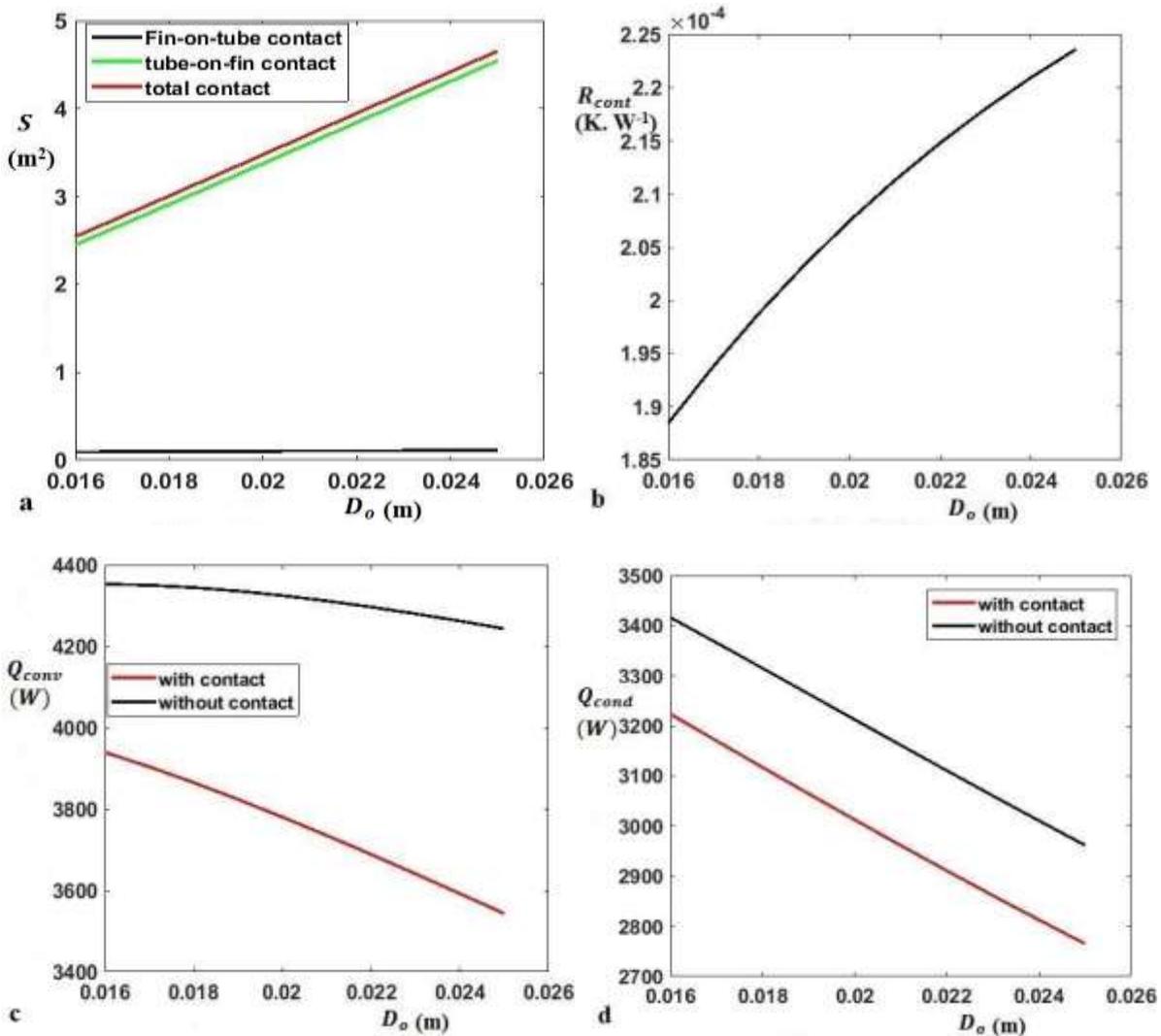


Figure 4:- The fin-tube contact surface (a), the total thermal contact resistance (b), the convective heatflows (c), the condenser exchanged heat flows (d), the heat flux gains and losses (e) and the ratio of losses to the heat flux gains (f) as a function of the condenser total number of tubes.



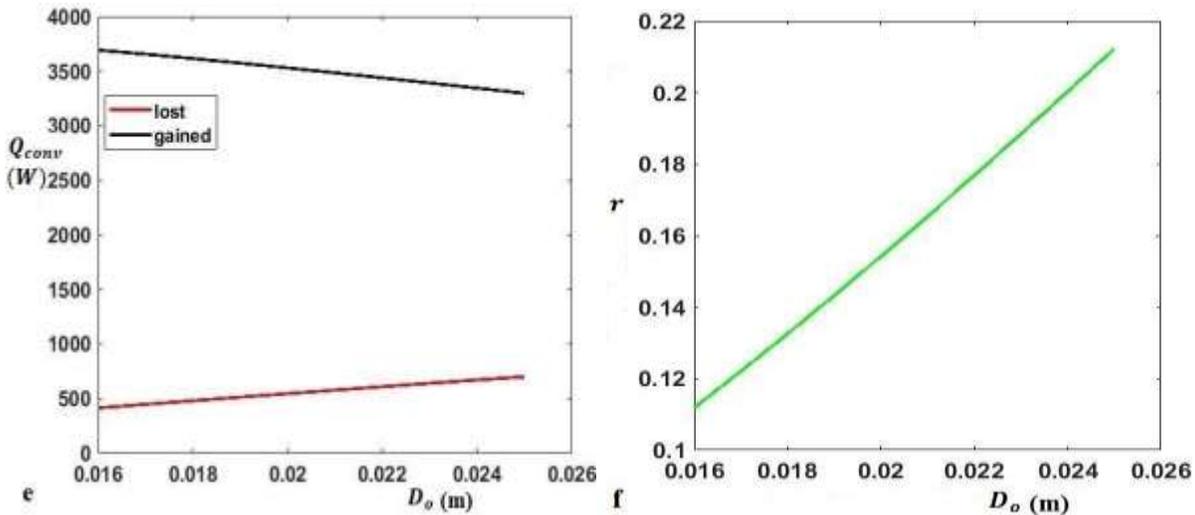


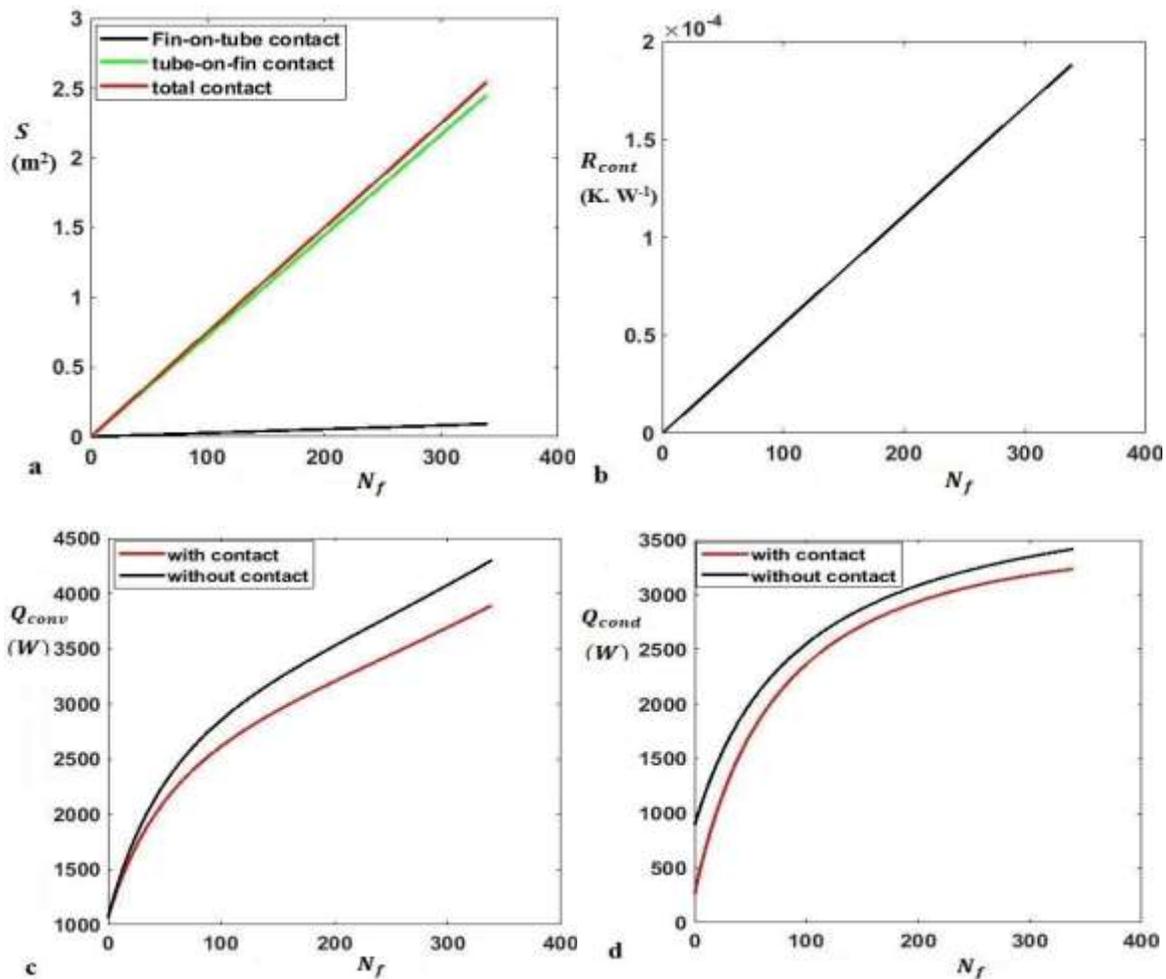
Figure 5:- The fin-tube contact surface (a), the total thermal contact resistance (b), the convective heatflows (c), the condenser exchanged heat flows (d), the heat flux gains and losses (e) and the ratio of losses to the heat flux gains (f) as a function of the tube outer diameter.

For the same number of fins in the condenser, the ratio of the losses to the heat flux gains due to the input of fins increases as a function of the number of tubes and as a function of their outer diameter, as it's illustrated respectively in **figures 4f** and **5f**. This is due to the increase in the fin-tube contact surfaces as noted in **figures 4a** and **5a** which show that the contact area occupied by the tubes on the fins is very large whatever the number of tubes and their outer diameter. These changes can be justified by the fact that each tube occupies the two lateral faces of each fin. Consequently, the more the number of tubes or their outer diameter is increased, the more the outer surface of the fins decreases and the more the contact area of the tubes on the fins increases. These two figures also show that the contact surface of the fins on the tubes hardly increases with the number of tubes (see **fig. 4a**) and with their outer diameter (see **fig. 5a**). It is also observed from these figures that the total fin-tube contact area is greater with the tube outer diameter than with their number.

In **figures 4b** and **5b**, there is an increase in the fin-tube total thermal contact resistance, respectively, as a function of the number of tubes and as a function of their outer diameter, which is due to the increase in the fin-tube total contact surface in **figures 4a** and **5a**. In **figure 4e**, the heat flux gains and the heat flux losses due to the input of fins increase with the number of tubes. The trend of the heat flux gains as a function of the number of tubes can be explained by the fact that increasing the number of tubes leads to an increase in the condenser outer surface. However, the increase in the number of tubes also implies an increase in the contact surface of the tubes on the fins (see **fig. 4a** and **fig. 5a**), having the effect of reducing the outer surface of the fins which causes heat flux losses. We notice that there is almost no loss of heat flow for a number of tubes ranging from 0 to 5 which corresponds to ratios less than 0.026 ($r < 0.026$). As for the changes in the heat flux as noted in **figure 5e**, they clearly reveal that the heat flux gains drop very quickly when the tube outer diameter increases, unlike the heat flux losses which increase slowly. This could be due to the fact that, on the one hand, increasing the tube outer diameter is accompanied by a decrease in their number since their pitches (horizontal and vertical) are kept constant, which reduces the heat gains. On the other hand, increasing the tube outer diameter increases the total fin-tube contact area and the fin-tube thermal contact resistance (see **fig. 5a** and **fig. 5b**, respectively), which increases heat losses. **Figures 4c** show the convective heat flows exchanged between the condenser and the surrounding air, respectively, with and without taking into account the effects of the fin-tube contact zones. It can be seen that when the number of tubes varies from 0 to 5 approximately, these two heat fluxes are almost the same. On the other hand, when the number of tubes exceeds 5 ($r > 0.026$), there is a clear difference between these two heat flows which increase progressively with the number of tubes. The same trend is observed in **figure 4d** for the heat flows exchanged between the refrigerant and the surrounding air with and without taking into account the effect of the fin-tube contact zones; the only difference is that these two heat flows are distinguished when the number of tubes reaches approximately 7. It is noticed that the exchanged heat flow without

taking into account the effects of the contact zones is always greater than that with taking into account these effects regardless of the number of tubes. As for the exchanged convective heat flows as a function of the tube outer diameter with and without taking into account the effects of the fin-tube contact zones (see **fig. 5c**), a very rapid decrease in the two heat fluxes can be seen and during which, a gap which becomes more and more important as the tube outer diameter increases is noticed. The same trend is observed in **figure 5d** for the heat flows exchanged between the refrigerant and the ambient air with and without taking into account the effects of the contact zones; the only difference is that the gap is a constant regardless of the tube outer diameter. These trends are explained by the fact that increasing the tube outer diameter reduces the heat flux gains while promoting the heat flux losses (see **fig. 5f**).

Influence of fins



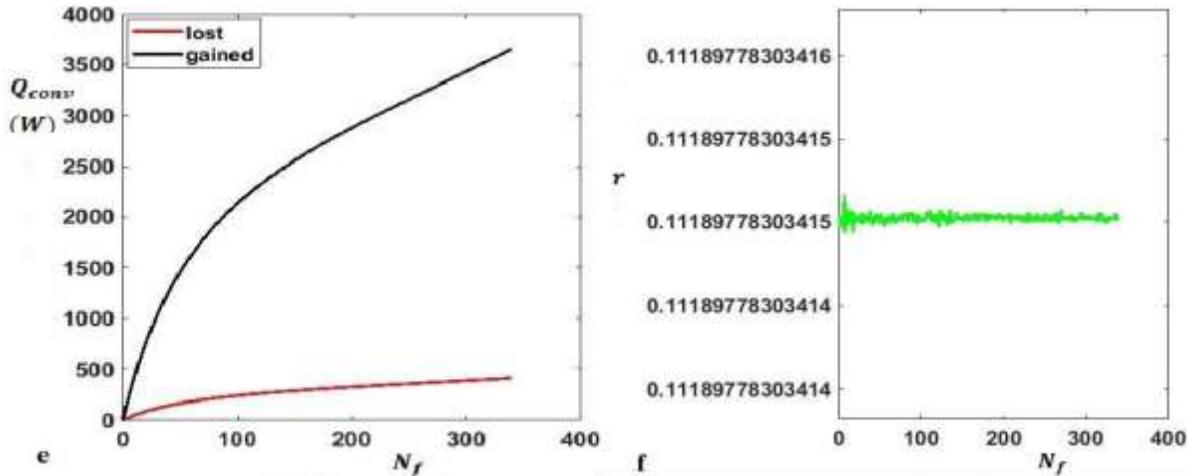
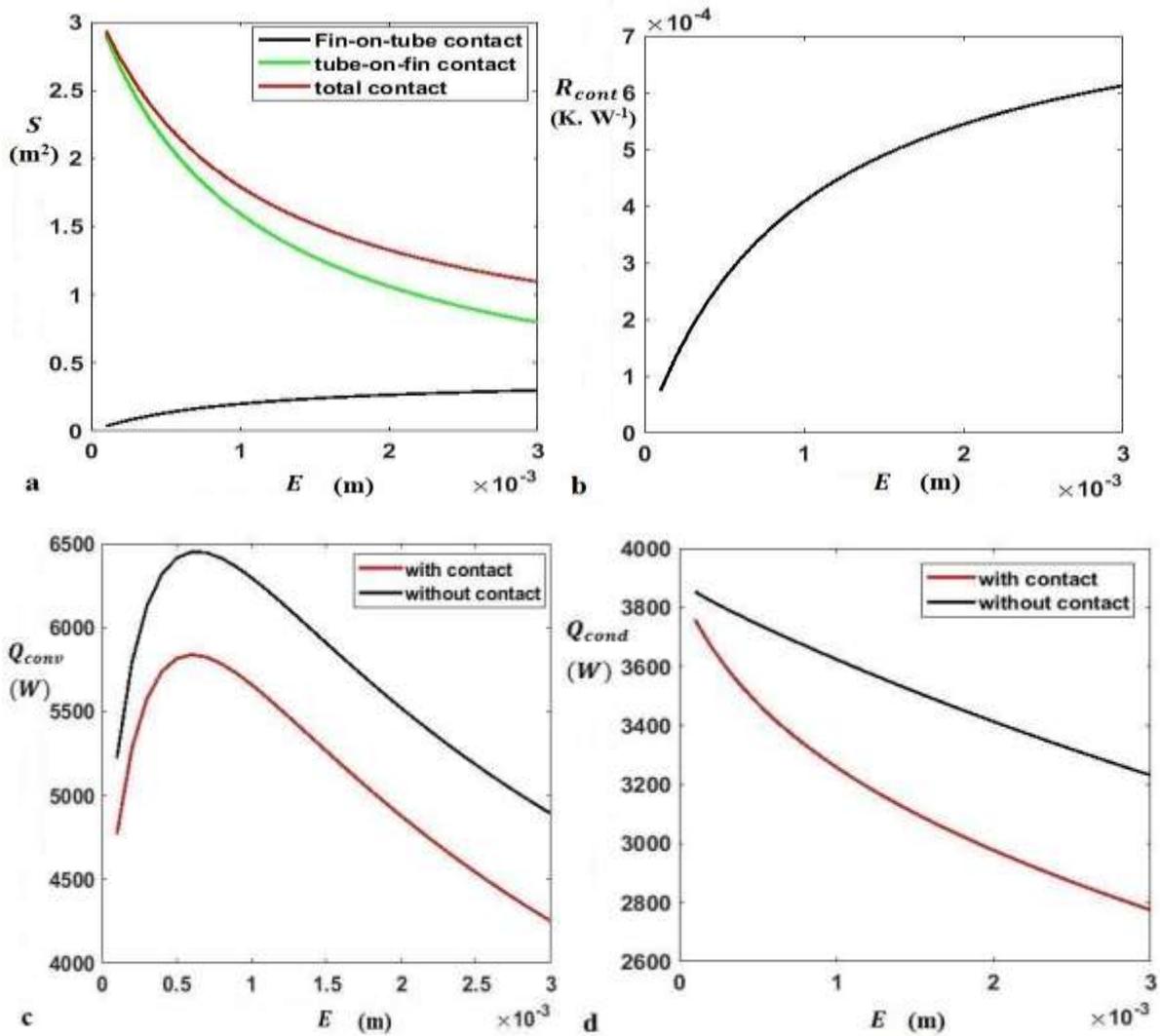


Figure 6: The fin-tube contact surface (a), the total thermal contact resistance (b), the convective heatflows (c), the condenser exchanged heat flows (d), the heat flux gains and losses (e) and the ratio of losses to the heat flux gains (f) as a function of the condenser total number of fins



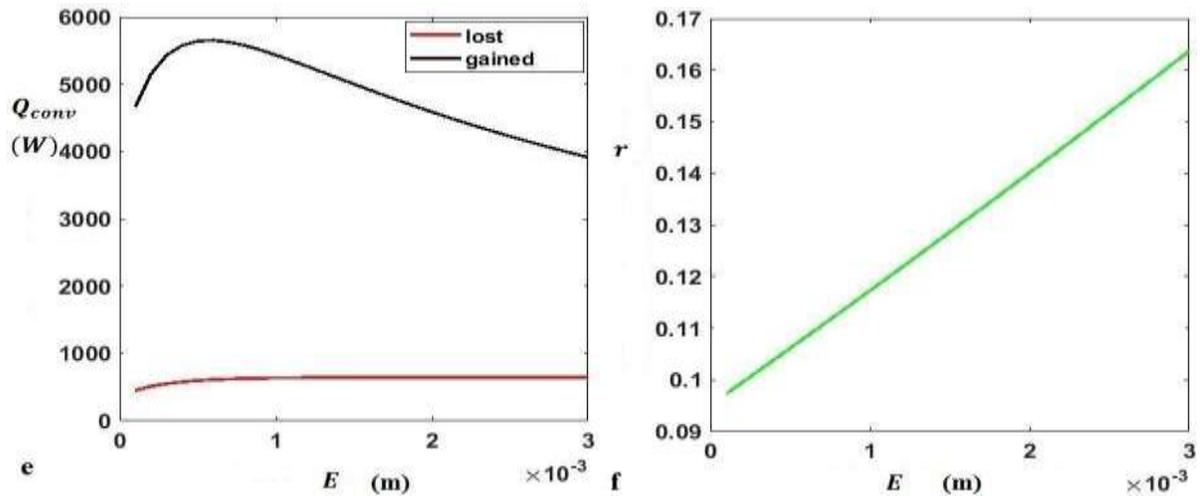


Figure 7:- The fin-tube contact surface (a), the total thermal contact resistance (b), the convective heatflows (c), the condenser exchanged heat flows (d), the heat flux gains and losses (e) and the ratio of losses to the heat flux gains (f) as a function of the fin thickness

Figure 6f shows that, for the same number of tubes, the variation in the number of fins does not affect the ratio of the losses to the heat flux gains due to the input of fins. On the other hand, when their thickness increases, as shown in **figure 7f**, this ratio grows swiftly, faster than that as a function of the number of tubes and slower than that as a function of the tube outer diameter (**fig. 4f** and **fig. 5f**, respectively). In **figure 6a**, it is noticed that the contact area occupied by the fins on the tubes is very small regardless of the number of fins and is very negligible compared to that occupied by the tubes on the fins. From **figure 7a**, it can be seen a somewhat rapid increase in the contact surface of the fins on the tubes and a gradual decrease in the contact surface of the tubes on the fins and the total contact surface as a function of the fin thickness. The changes in the contact surfaces are justified by the fact that increasing the number of fins implies an increase in the area occupied by the tubes on the fins and since the fin thickness is very small compared to the tube outer diameter, then the area occupied by the fins on the tubes is negligible compared to that occupied by the tubes on the fins (see **fig. 6a**). However, when the fin thickness increases, since their pitch is kept constant, the number of fins in the condenser must necessarily decrease while the area occupied by the fins on the tubes increases, which explains the appearance of the contact surfaces as noted in **figure 7a**.

The evolution of the heat flux gains due to the input of fins noted in **figure 6e** shows that it increases very quickly as a function of the number of fins, which is due to the fact that increasing the number of fins makes it possible to increase the condenser outer surface. On the other hand, as it is illustrated in **figure 7e**, when the fin thickness increases, the heat flux gains increase rapidly until reaching a maximum for a critical thickness value of about 0.5 mm and begin to drop gradually with increasing the fin thickness. The first trend is due to the fact that increasing the fin thickness allows the condenser front surface to increase, which promotes a larger exchange surface with the surrounding air. However, when this thickness reaches a critical value (0.5 mm), the number of fins in the condenser begins to decrease with any additional increase in the fin thickness. This decrease will lead to a reduction in the condenser outer surface which explains the drop in the heat flux gains. As for the evolution of the heat flux losses in **figure 6e**, it increases slowly with the number of fins while keeping almost a constant rate in **figure 7a** with the increase in the fin thickness. Changes in the heat flux losses are due to the shape of the contact surfaces noted respectively in **figures 6a** and **7a**.

In **figures 6c and 7c** are illustrated the evolution of the convective heat flows exchanged between the condenser and the surrounding air, respectively, as a function of the number of fins and as a function of the fin thickness with and without taking into account the effects of the fin-tube contact zones. It can be seen from **figures 6c** that these heat flows increase with the number of fins. From this figure, it is observed that the exchanged heat flux without taking into account the effects of the contact zones is greater than that with taking into account these effects except for small numbers of fins (between 1 and 15) where the two heat flows are almost equal. However, as shown in **figure 6d**, there is a constant gap between the heat flows exchanged between the refrigerant and the surrounding air with and without taking into account the effects of the contact zones. The increase in the heat fluxes in **figures 6c and 6d** is due to the evolution of the heat flux gains in **figure 6e**.

In **figure 7c**, the two exchanged convective heat flows between the outer wall of the condenser and the surrounding air with and without taking into account the effects of the contact zones first keep a small constant gap until the fin thickness reaches 0.5 mm, then, any additional increase in the fin thickness causes the heat flows to drop while keeping a larger constant gap. These different paces are due to the evolution of the heat flux gains in **figure 7e**. As for the gap between the exchanged heat flows between the refrigerant and the ambient air with and without taking into account the effects of the contact zones, as shown in **figure 7d**, it increases rapidly depending on the fin thickness while the heat flows fall. Changes in the fin-tube total thermal contact resistance as a function of the number of fins (see **fig. 6b**) and as a function of their thickness (see **fig. 7b**) are due to the shape of the fin-tube contact surfaces respectively in **figures 6a and 7a**. It can be seen that, before the fin thickness reaches its critical value (0.5 mm), this resistance increases more rapidly as a function of the fin thickness than as a function of their number. This can be explained by the fact that the contact surface of the fins on the tubes is greater as a function of the fin thickness than as a function of their number. However, when the fin thickness reaches its critical value, the thermal contact resistance 'growth begins to slow down due to the fact that after this critical value, any increase in the value of the fin thickness causes a decrease in the number of fins.

Conclusion:-

In this work, the effect of the tube-fin contact zones on convective heat transfers between the condenser outer surface and its surrounding air has been investigated. A method of determining the condenser outer area has been proposed and a ratio which compares the losses to the heat flux gains due to the input of fins has been defined and studied. It is concluded that the effect of the fin-tube contact zones can be neglected when the ratio of the losses to the heat flux gains is less than 0.026. Otherwise, when this ratio is greater than 0.026, these effects have to be considered when determining the condenser exchanged convective heat flux with the ambient air. It is also drawn from this study that the condenser exchanged heat flux without taking into account the effects of the fin-tube contact zones is always greater than that with considering these effects regardless of the number of tubes and their outer diameter and the number of fins and their thickness.

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